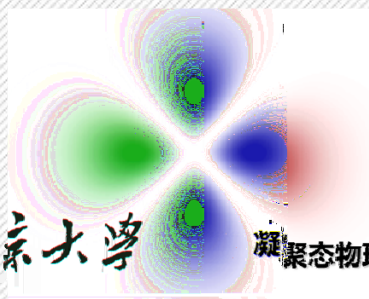




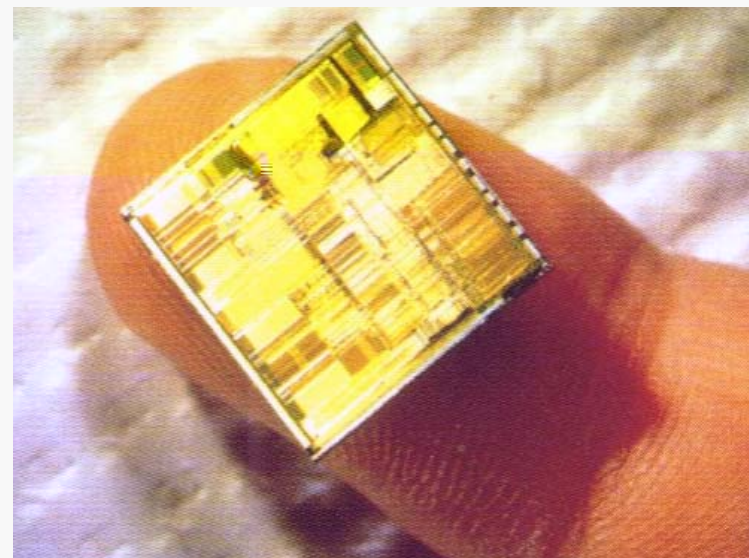
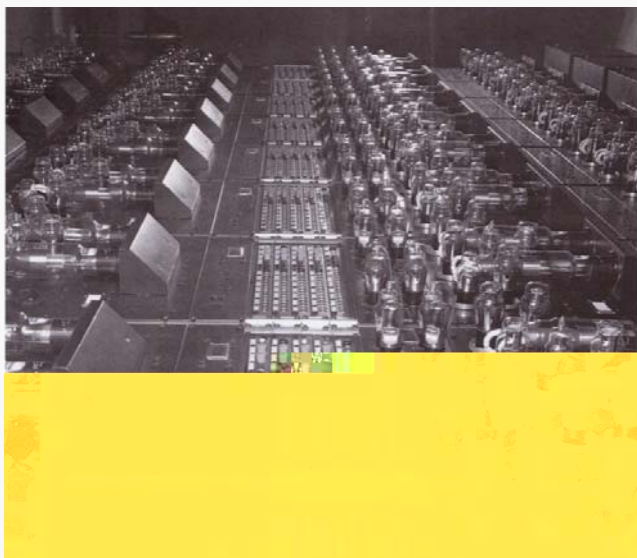
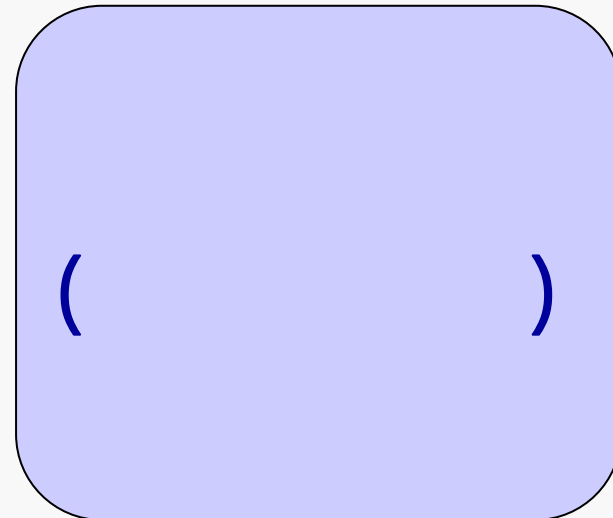
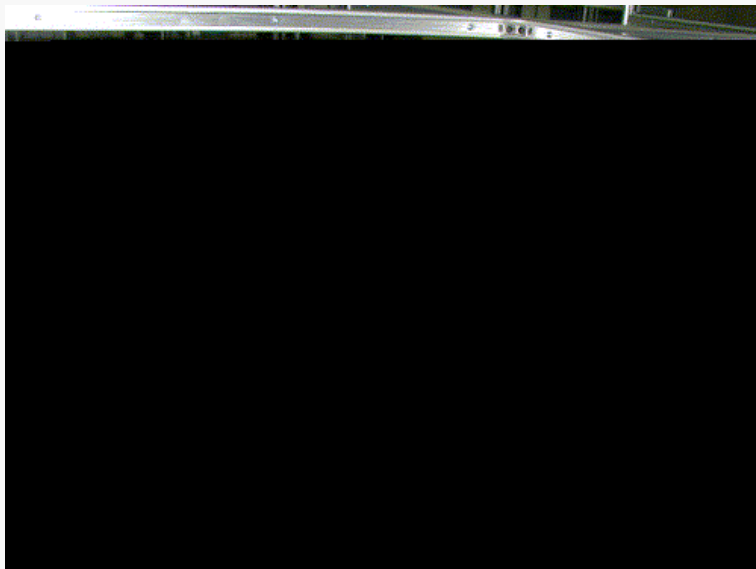
南京大学

National Laboratory of Solid State Microstructures Nanjing University

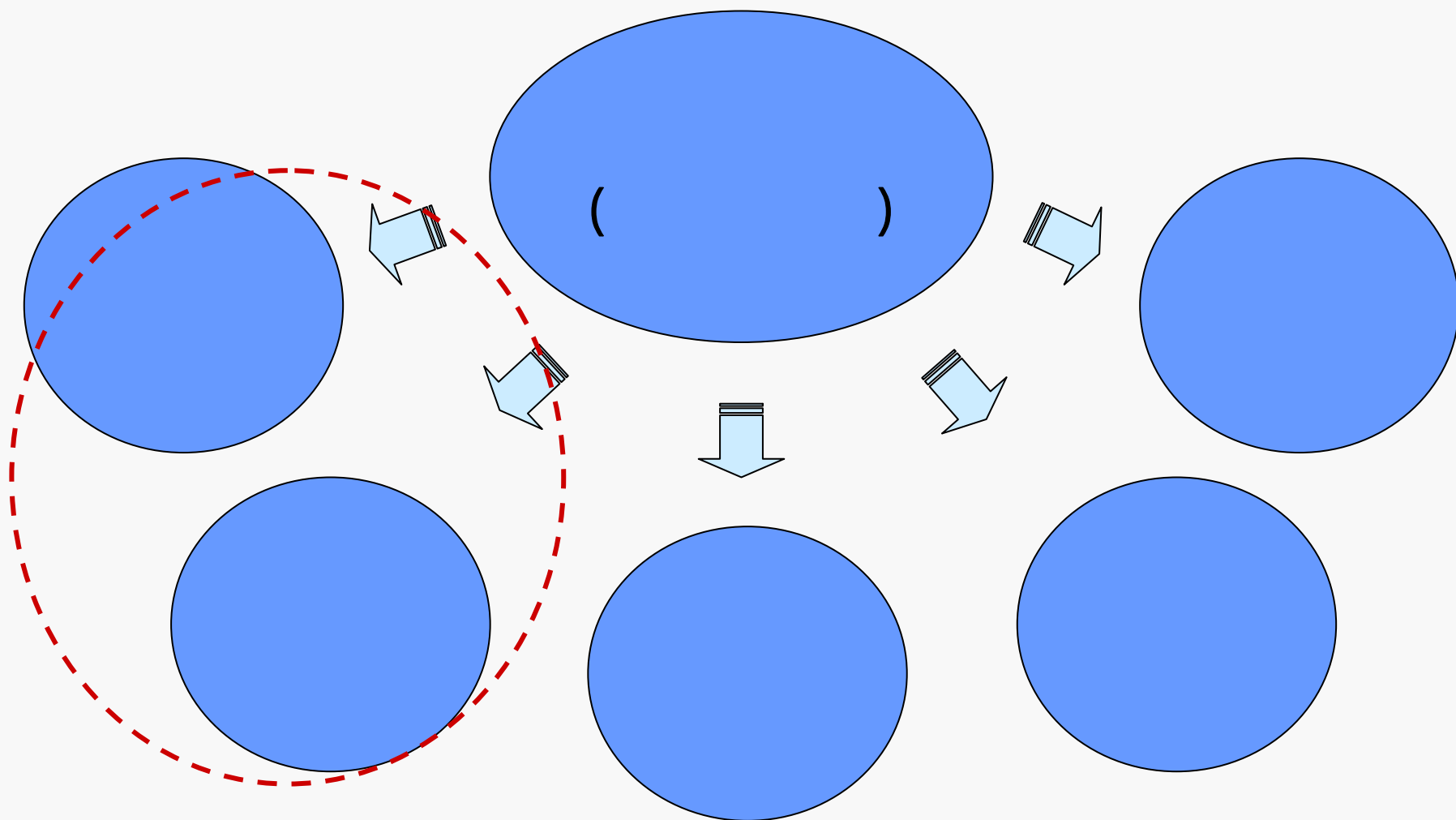


北京大学

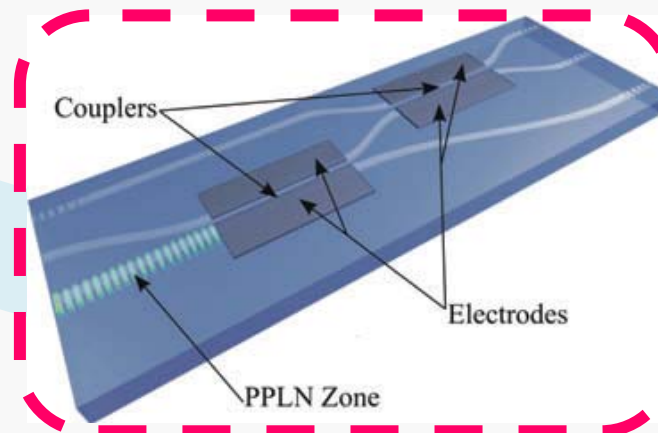
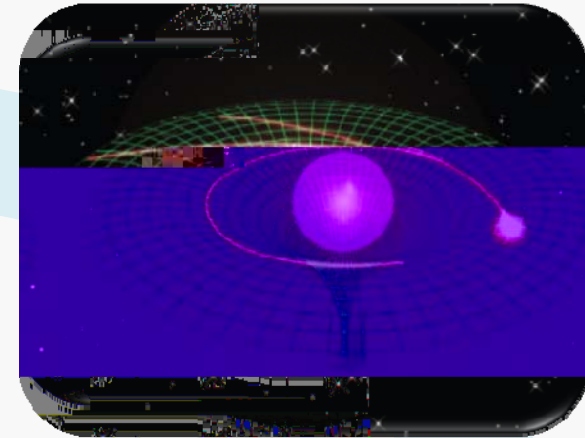
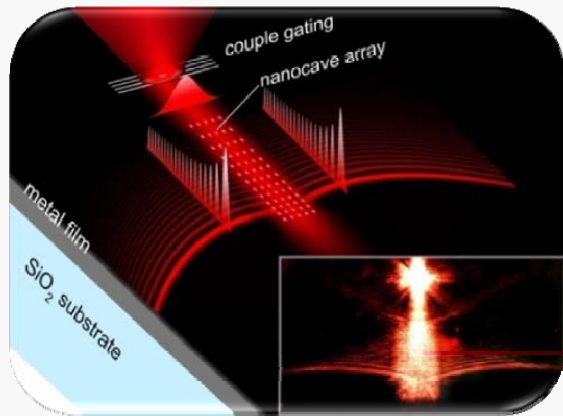
凝聚态物理论坛



”Ω r SPP r ”Ω x r r r ě ě

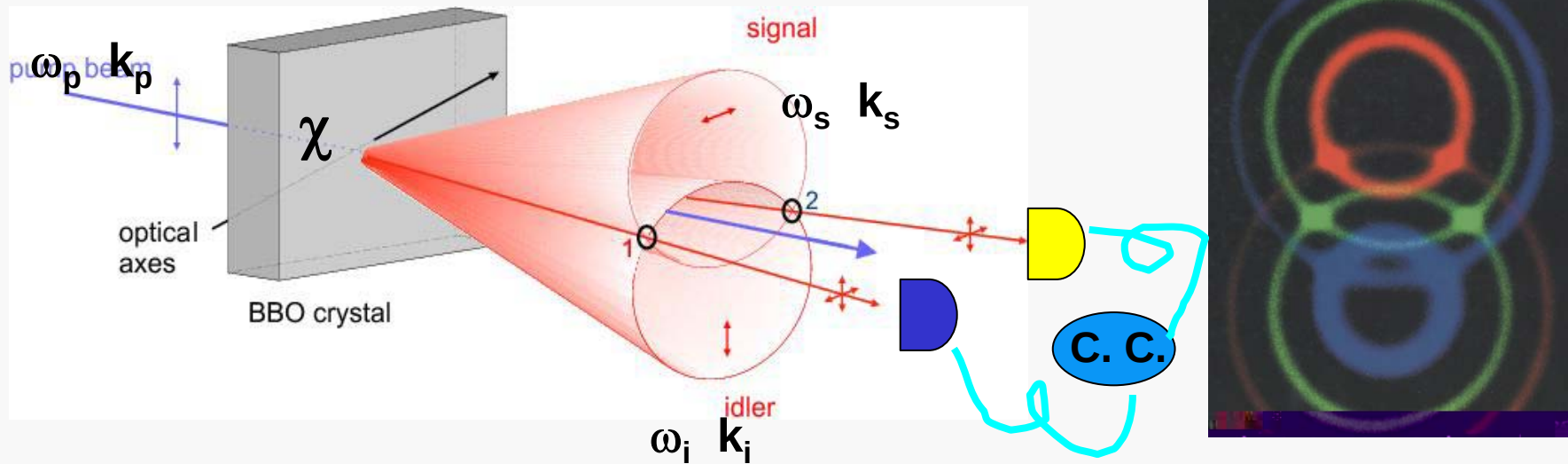


SPP



LN

() Spontaneous parametric down-conversion (SPDC)



$$\omega_p = \omega_s + \omega_i$$

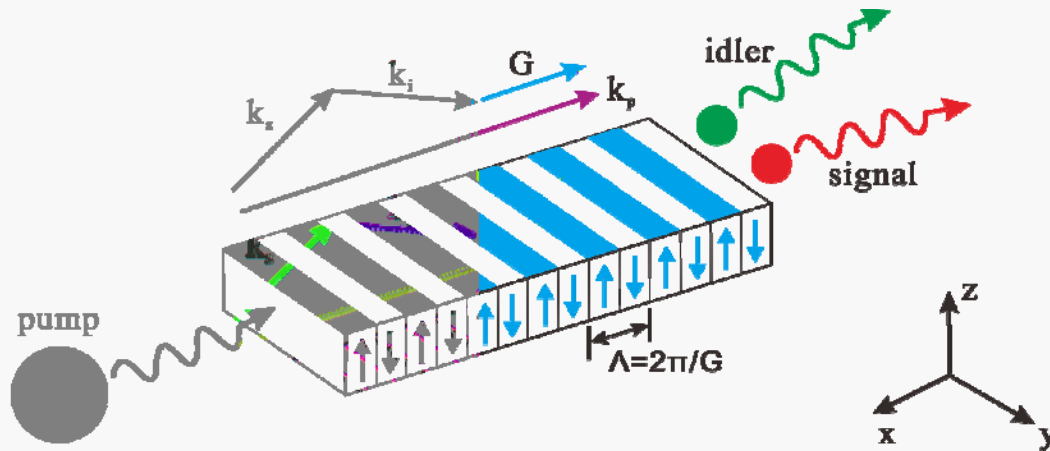
$$\vec{k}_p = \vec{k}_s + \vec{k}_i$$

$$|\Psi\rangle = \frac{1}{\sqrt{2}} (|V\rangle |H\rangle + |H\rangle |V\rangle)$$

$$|\Psi\rangle = \psi \sum_{\vec{k}_i, \vec{k}_s} \delta(\omega_i + \omega_s - \omega_p) \delta(\vec{k}_i + \vec{k}_s - \vec{k}_p) a_{\vec{k}_i}^\dagger a_{\vec{k}_s}^\dagger | \rangle$$

1935 EPR

() Spontaneous parametric down-conversion (SPDC)



$$\omega_p = \omega_s + \omega_i$$

$$\rho_p = \rho_s + \rho_i$$

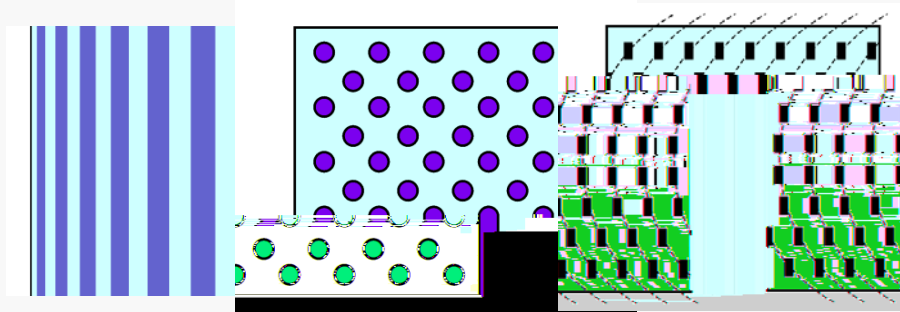
$$\omega_p = \omega_s + \omega_i$$

$$\rho_p = \rho_s + \rho_i + G$$

$$|\Psi\rangle = \psi \sum_{k_s, k_i} \delta(k_s + k_i + G - k_p) a_s^+ a_i^+ | \rangle$$

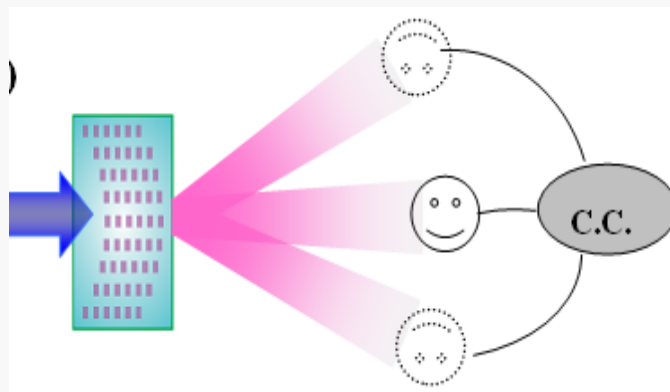
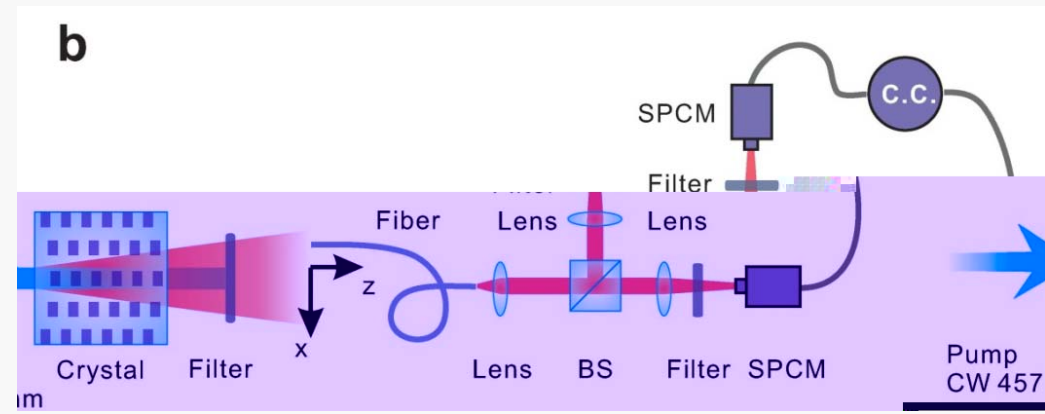
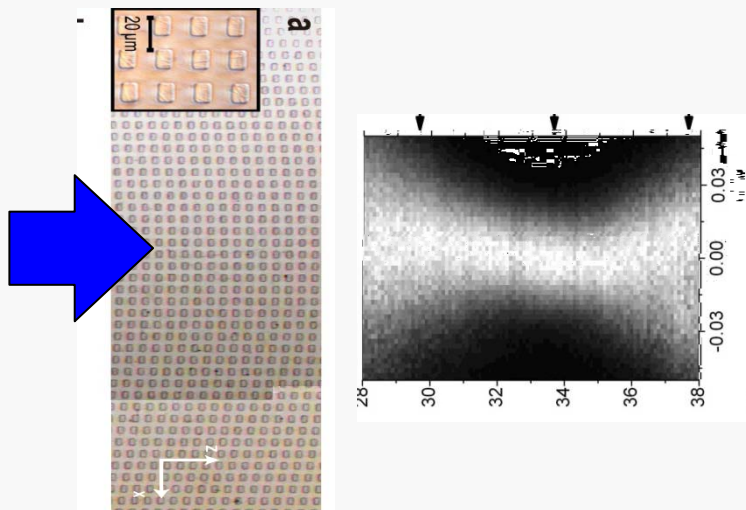
$$G_m = \frac{m\pi}{\Lambda}$$

Different structures



Key features

- ◆ High efficiency, 1-2 order higher (bulk), 4-5 orders higher than BPM crystals
- ◆ Designable wavelength
- ◆ Engineerable state



$$\frac{1}{d} + \frac{1}{d} = \frac{1}{f_{eff}}$$

$$f_{eff} = \frac{\pi}{g_3 \alpha \lambda_p}$$

et al.,

et al.,



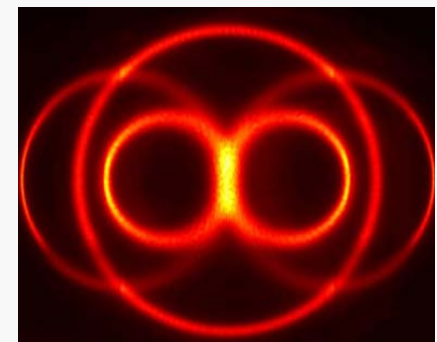
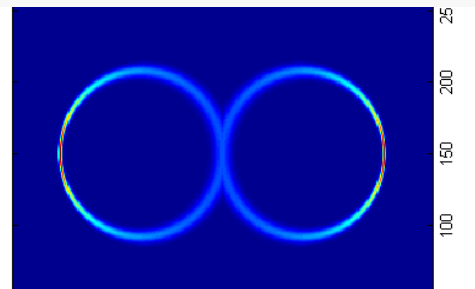
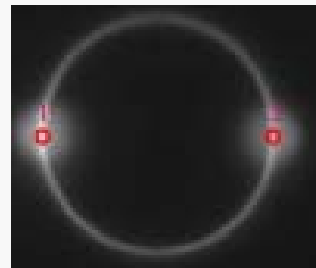
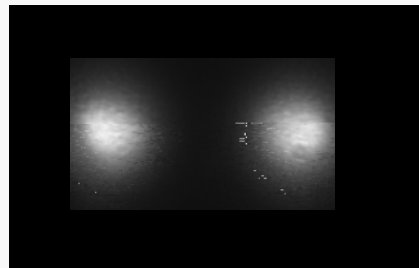
AIP ADVANCES 2, 041401 (2012)

Review Article: Quasi-phase-matching engineering of entangled photons

P. Xu^a and S. N. Zhu^b

*National Laboratory of Solid State Microstructures and School of Physics,
Nanjing University, Nanjing 210093, China*

(Received 15 August 2012; accepted 17 October 2012; published online 28 December 2012)



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Phys. Rev. Lett. 111, 023603 (2013)

Phys. Rev. A 86, 023835 (2012)

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Subject Category: [Physics](#)

PRL 101, 233601 (2008)

Published online: 17 December 2008 | doi:110.1038/nchina.2008.298

Quantum entanglement: Crystal control

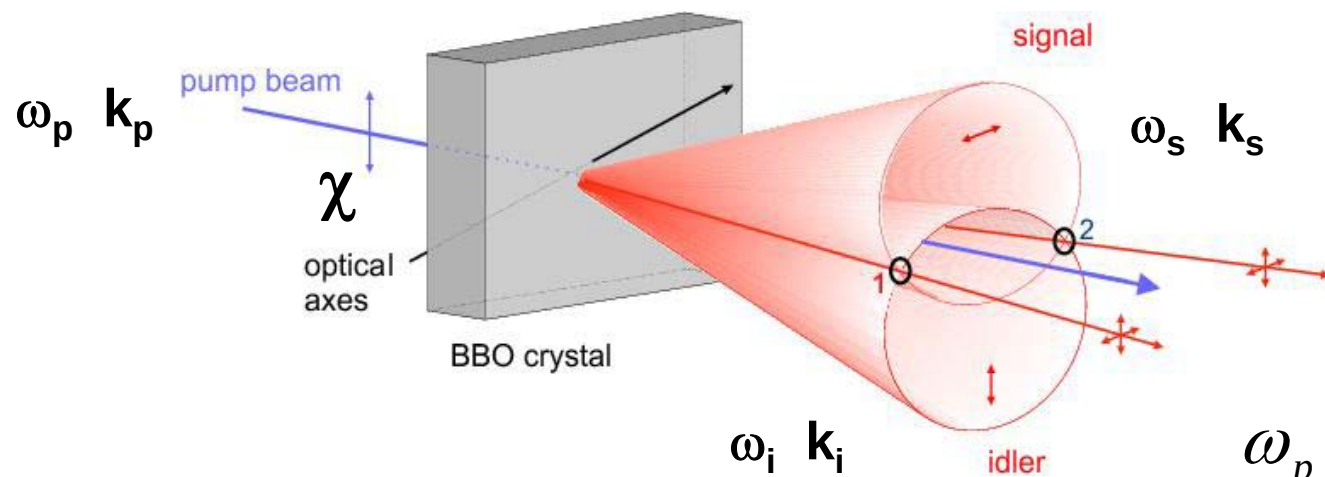
Tim Reid

Researchers in China have shown how to control the properties of entangled photon states using engineered crystal patterns

Original article citation

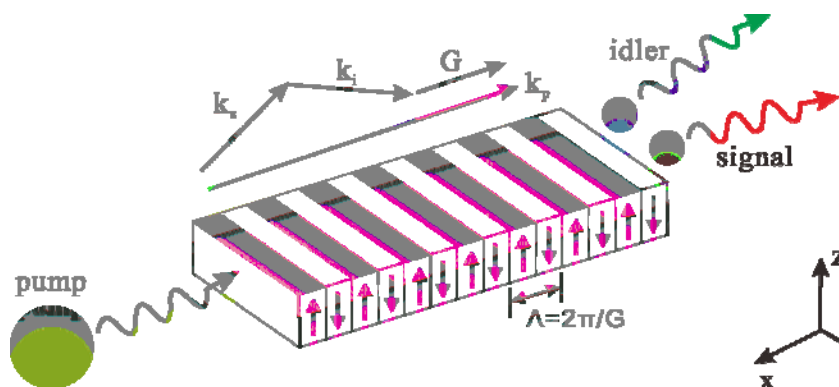
Yu, X. Q. *et al.* [Transforming spatial entanglement using a domain-engineering technique](#). *Phys. Rev. Lett.* **101**, 233601 (2008).

The phenomenon of quantum entanglement, by which two objects are intrinsically linked even when separated by some distance, could have powerful implications for future methods of communication. Shining Zhu at Nanjing University and co-workers¹ have illustrated a way to control the quantum entanglement of two photons by carefully engineering a nonlinear crystal.



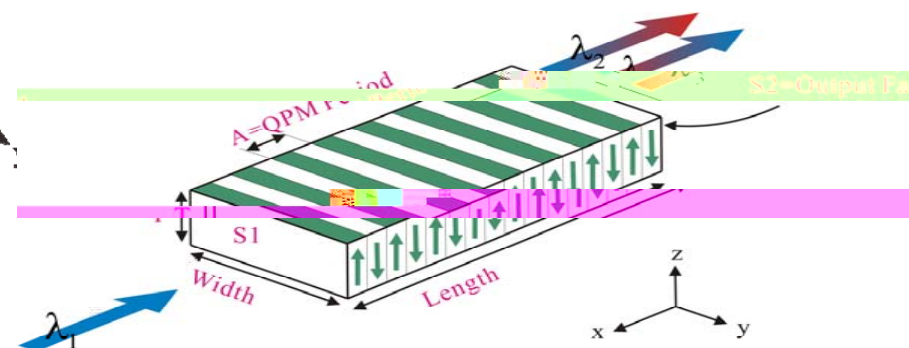
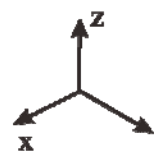
$$\omega_p = \omega_s + \omega_i$$

$$\rho_p = \rho_s + \rho_i$$



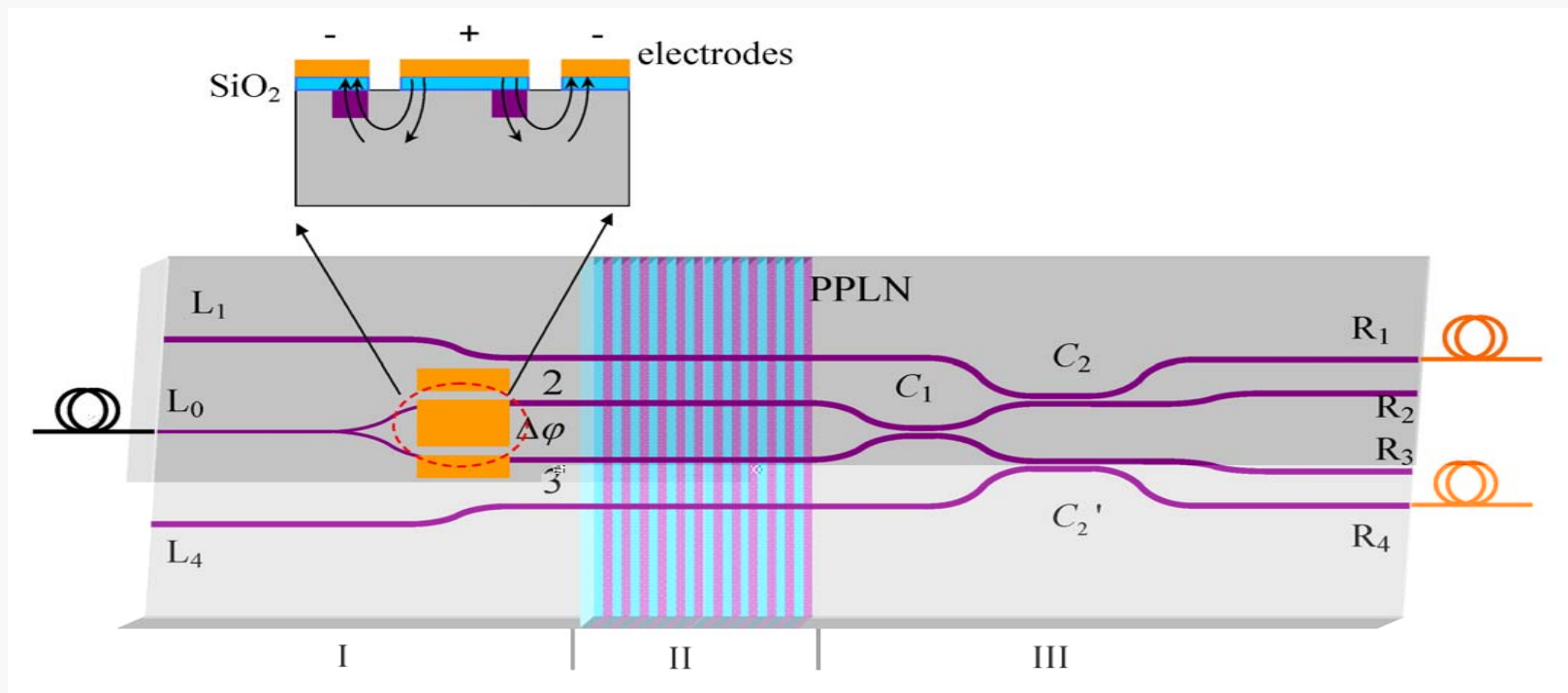
$$\omega_p = \omega_s + \omega_i$$

$$\rho_p = \rho_s + \rho_i + \rho_G$$





- $\mathbb{D} \rtimes \mathbb{D} \quad \Lambda \quad \rtimes \mathbb{D} \quad \diamond \quad 00 \quad \quad \quad \mathfrak{U}^\dagger$
- $\quad \quad \quad \mathfrak{H} \quad \rtimes \mathbb{D} \quad \dot{w} \quad \underline{\perp} \quad \quad \mathring{\mathbb{E}} \quad 00 \quad \quad \mathbb{L} \quad \dot{M}$
- $\quad \quad \mathfrak{H} \quad \acute{\mathfrak{I}} \quad \quad 00 \quad \quad \mathfrak{D} \quad \rtimes \quad \quad \mathfrak{H}$
- $\mathfrak{A} \quad \quad \quad \mathfrak{H} \quad 00 \quad \quad \mathfrak{h} \quad \mathfrak{b} \quad \quad \mathfrak{T} \quad \mathfrak{H}$
- $\mathfrak{A} \quad \quad \quad \mathfrak{H} \quad 00 \quad \quad \mathbb{L} \quad \mathfrak{a}$
- $\quad \mathbb{L} \quad \mathfrak{H} \quad \quad \quad \mathfrak{H} \quad 00 \quad \quad \mathbb{Z} \mathbb{G} \mathbb{P}$

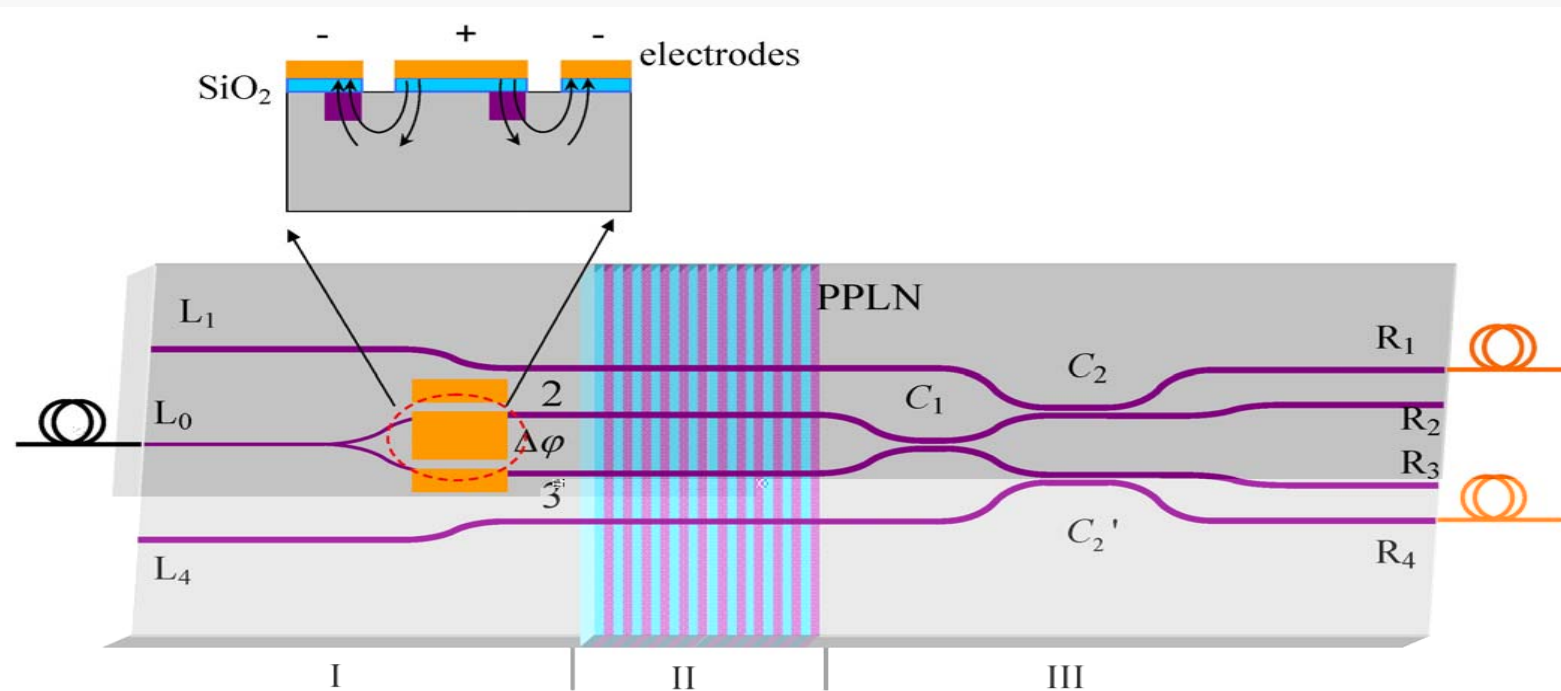


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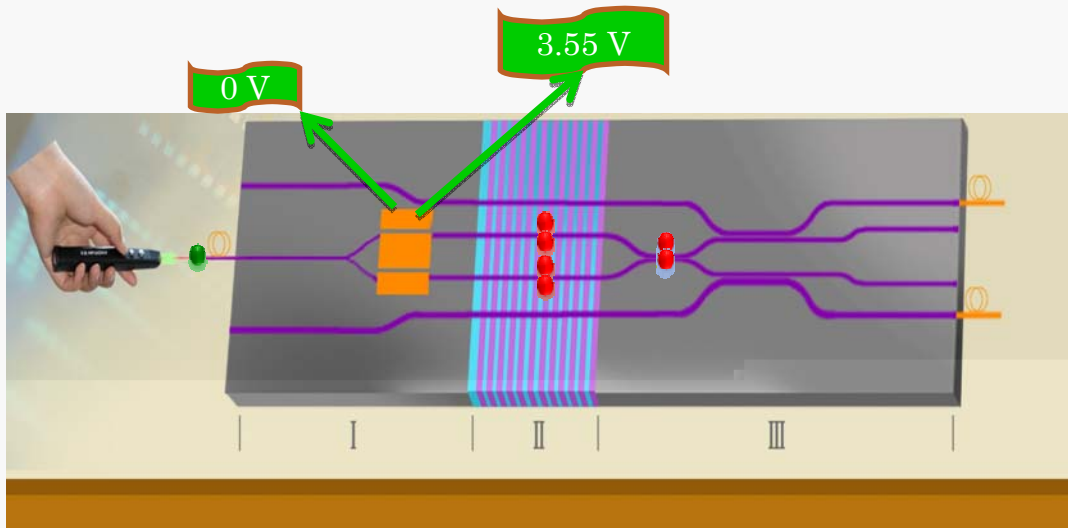
C



$$\frac{1}{\sqrt{2}}(|\uparrow\rangle + e^{i\Delta\phi}|\downarrow\rangle) \xrightarrow{EOPS} \frac{1}{\sqrt{2}}(|\uparrow\rangle - |\downarrow\rangle) \quad \Delta\phi = \pi \quad + |\uparrow\rangle \quad \Delta\phi =$$

$$|\Psi\rangle_{bunch} = \frac{1}{\sqrt{2}}(|\uparrow\rangle - |\downarrow\rangle) \quad \Delta\phi = \pi$$

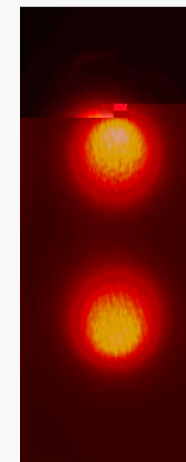
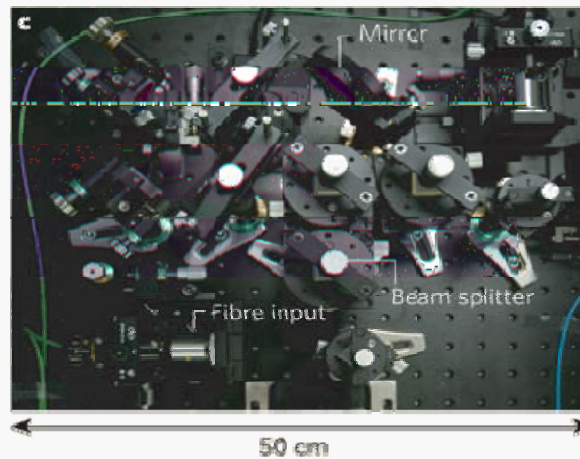
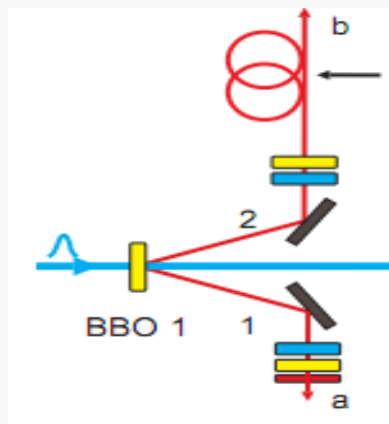
$$|\Psi\rangle_{sep} = |\uparrow\rangle \quad \Delta\phi =$$



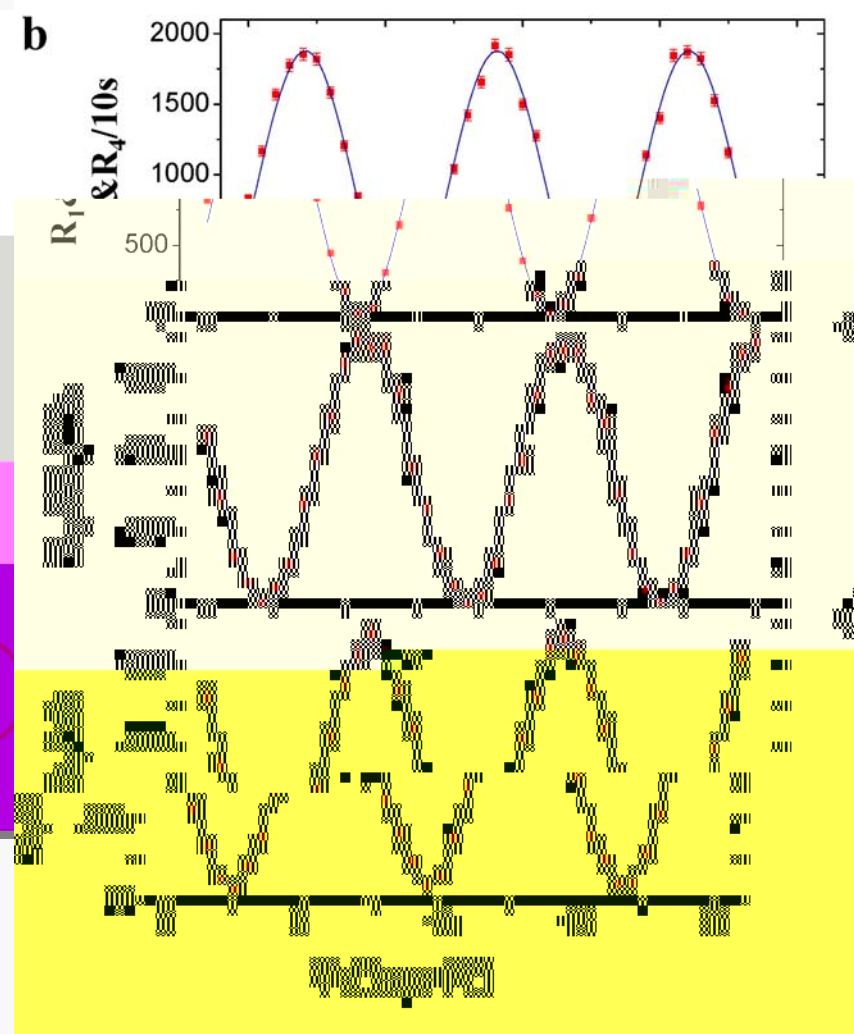
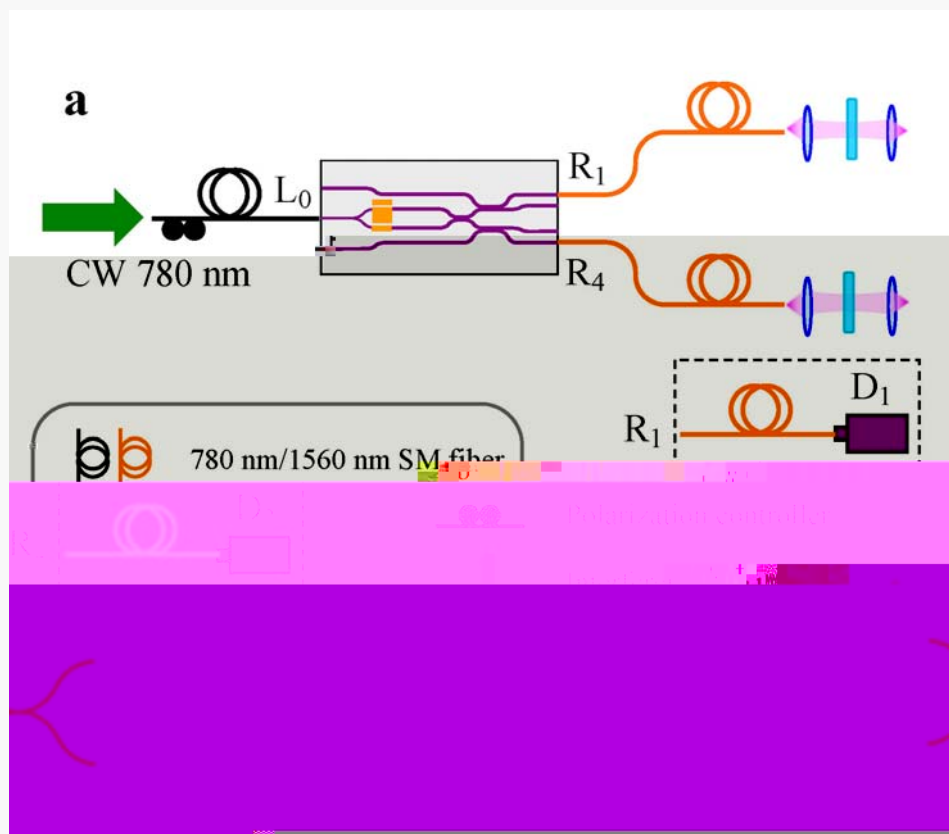
I
Pump region

II
PPLN
(classical → Quantum)

III
Quantum interference



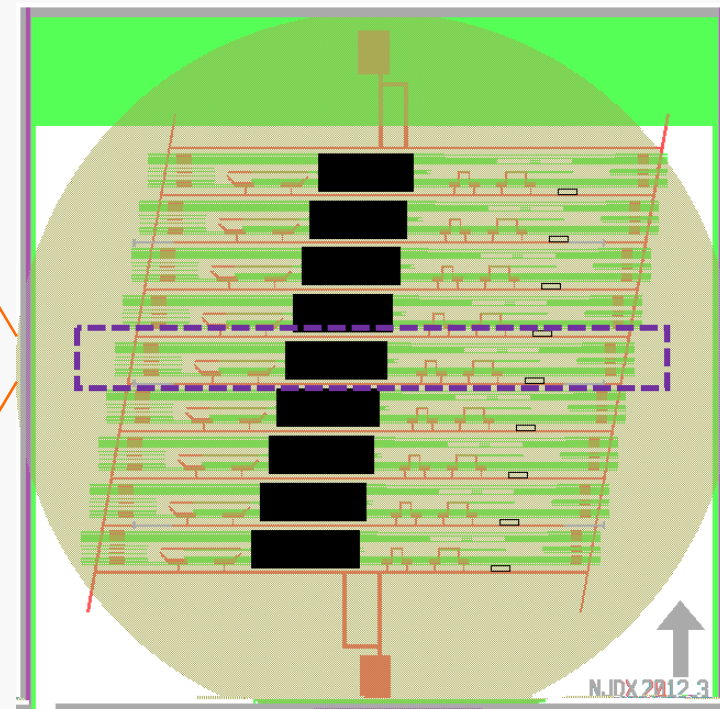
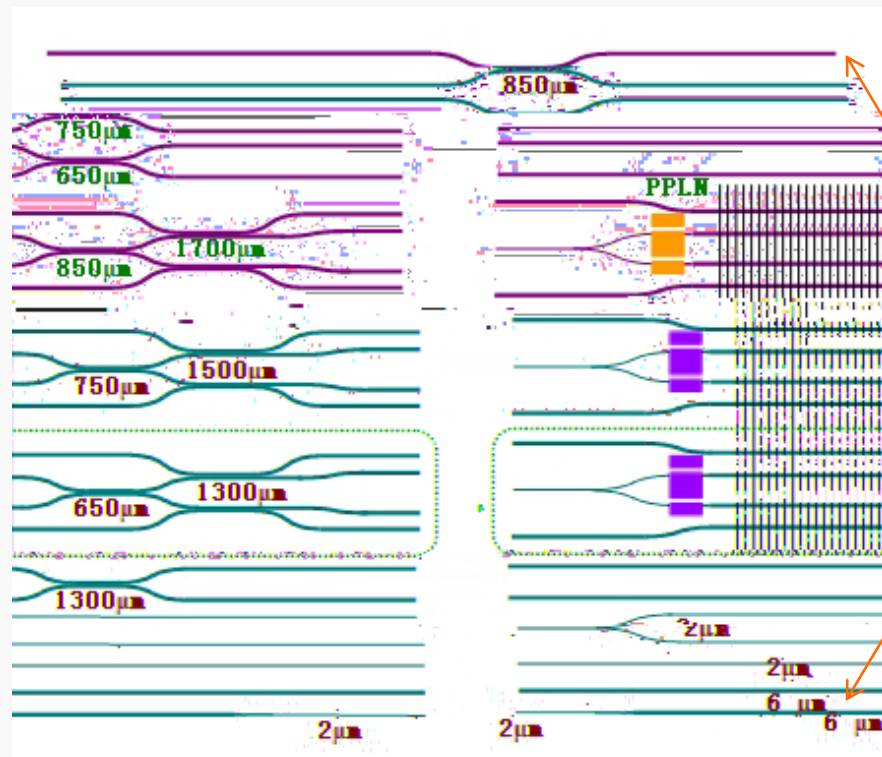
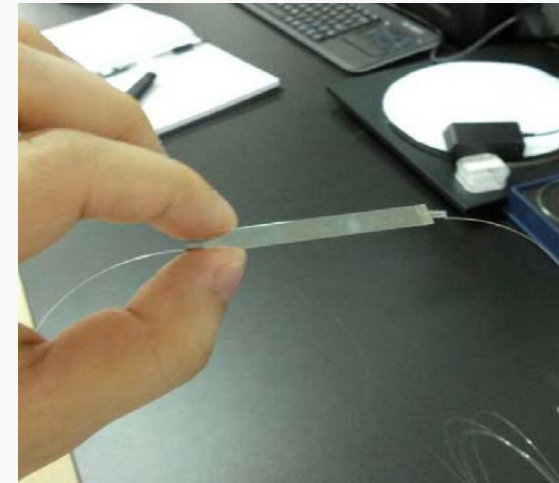
$$|\Psi\rangle = \frac{1}{\sqrt{2}} (| \rightarrow \rangle - | \leftarrow \rangle) \frac{\Delta\phi}{2} + | \rightarrow \rangle \frac{\Delta\phi}{2}$$



**Input: classical
pump laser**



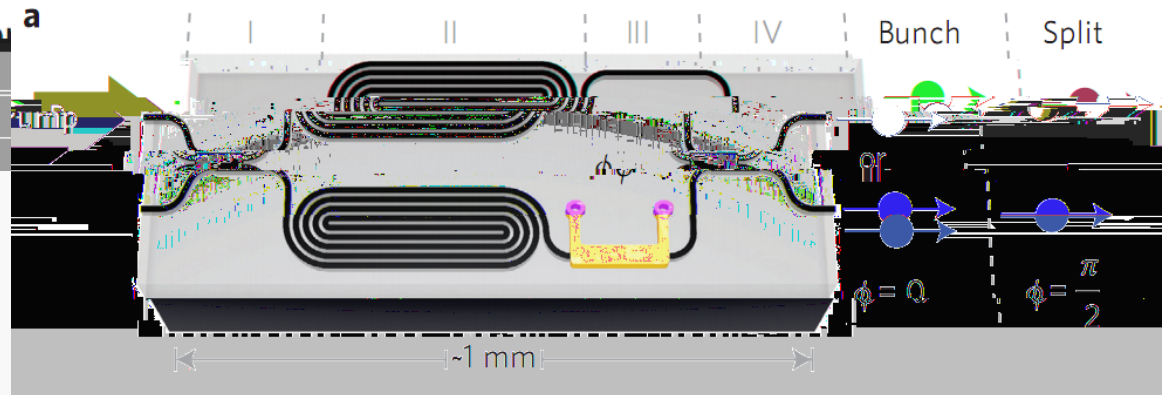
Output: Quantum light



On-chip quantum interference between silicon

photon pairs

Ezaki², I. W. Silver,
S. D. Marshall¹, J. G. Rarity¹,



LN V.S. SOI chip

	⊂ ×	♫
	×	×

- 1.
- 2.
- 3.
- 4.

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Synopsis: Quantum Photonics on a Chip

On a single chip, sources of entangled photons are combined with optical elements that can perform complex manipulations of quantum signals.

Featured in Physics

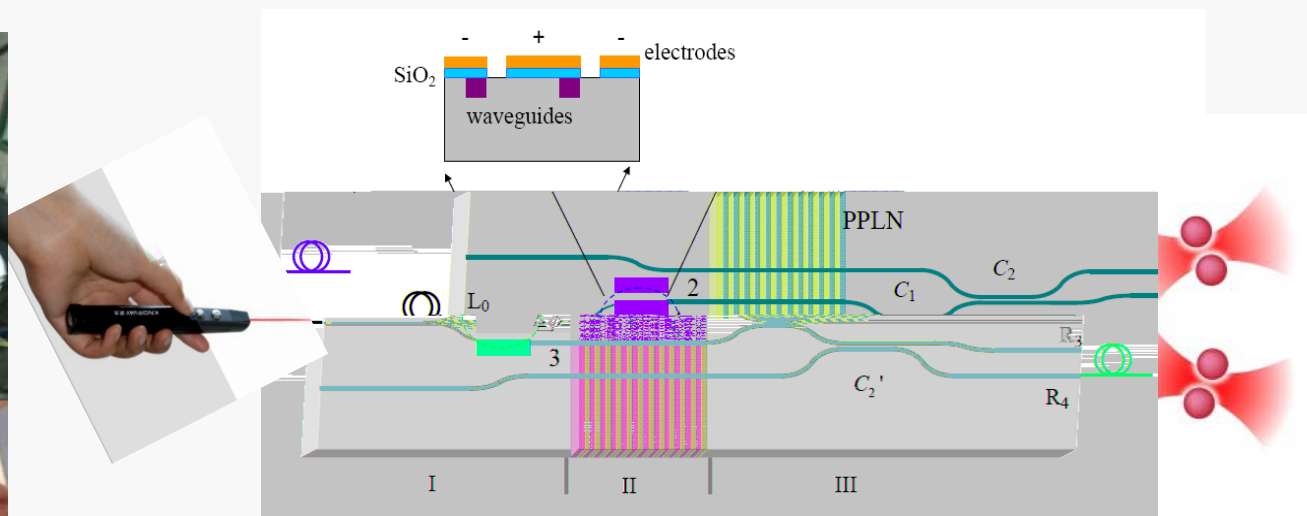
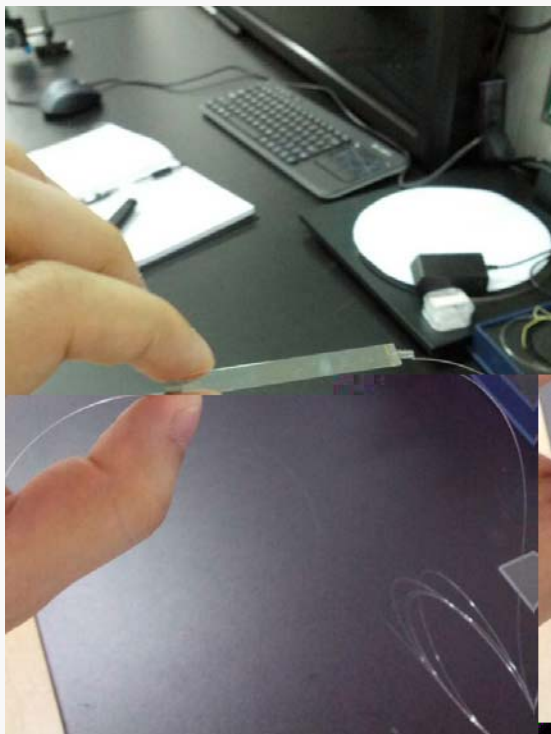
Editors' Suggestion

On-Chip Generation and Manipulation of Entangled Photons Based on Reconfigurable Lithium-Niobate Waveguide Circuits

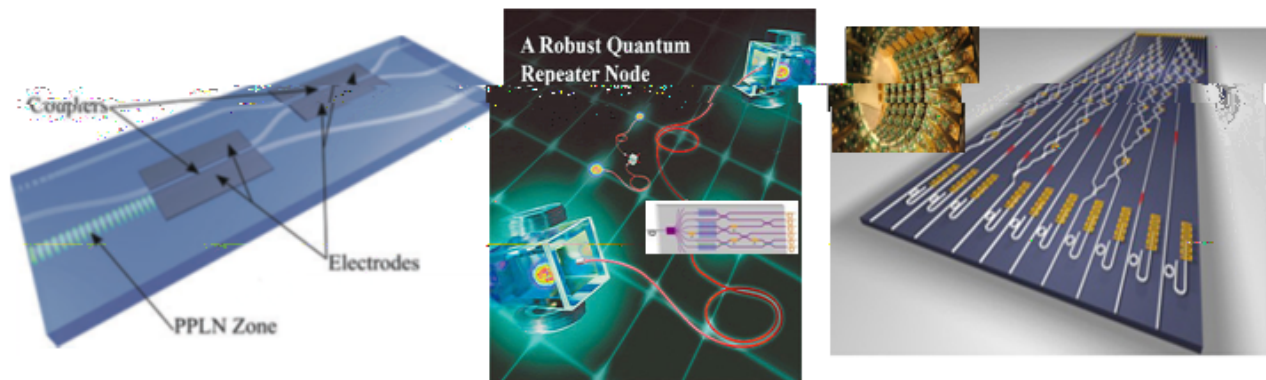
H. Jin, F. M. Liu, P. Xu, J. L. Xia, M. L. Zhong, Y. Yuan, J. W. Zhou, Y. X. Gong, W. Wang and S. N. Zhu

Phys. Rev. Lett. 113, 103601 (2014) – Published 4 September 2014

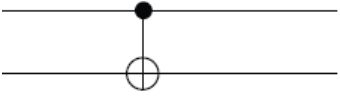
Quantum sources in the hands



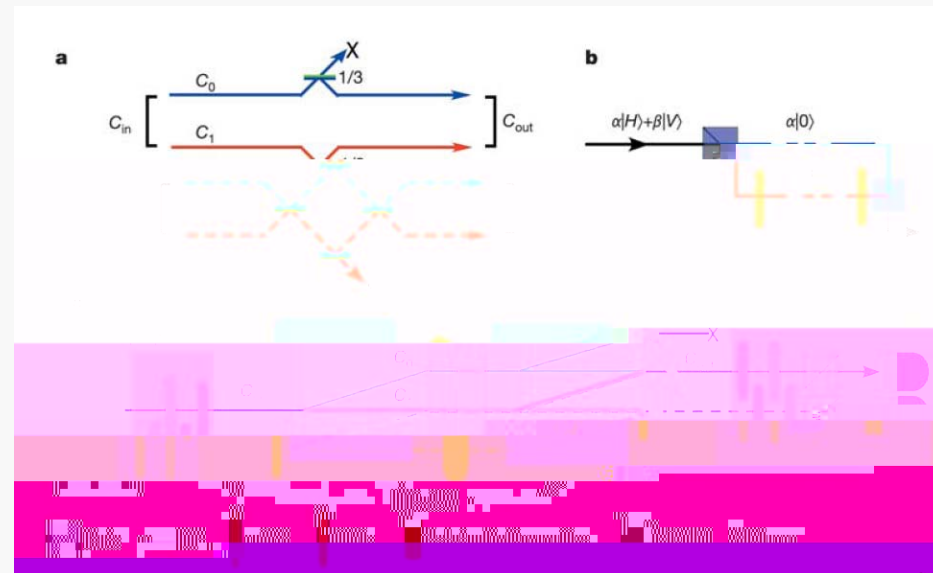
应用



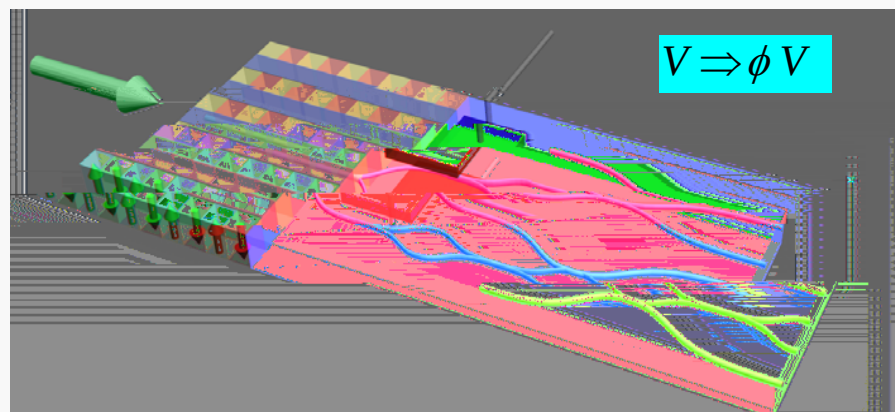
A



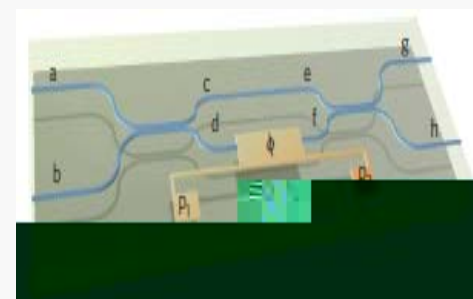
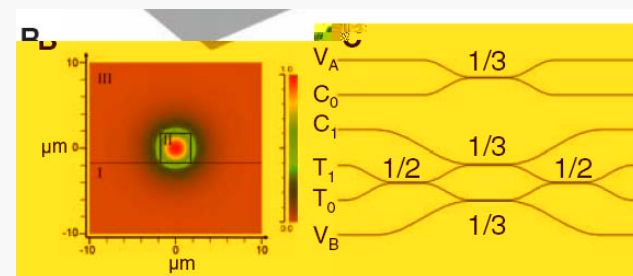
$$U_{CNOT} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{pmatrix}.$$



et al

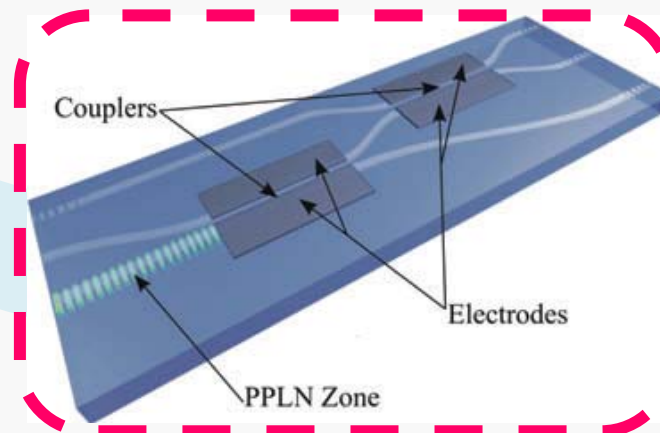
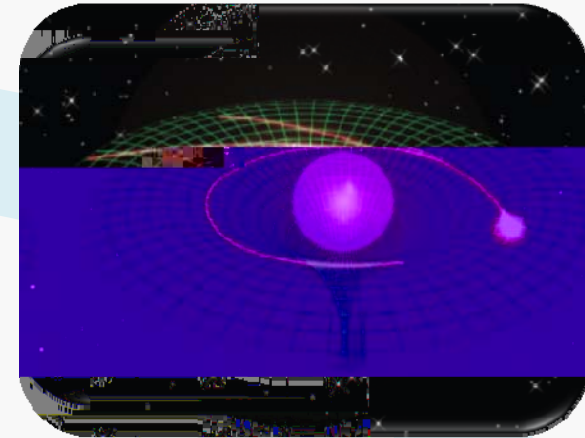
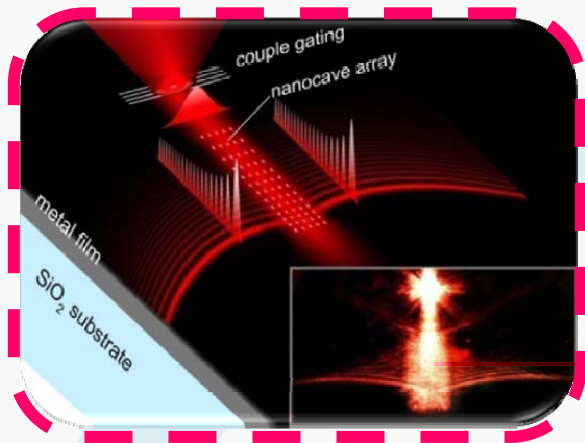


:LN ; 2.Si PPLN



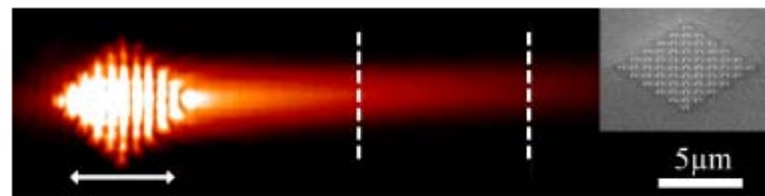
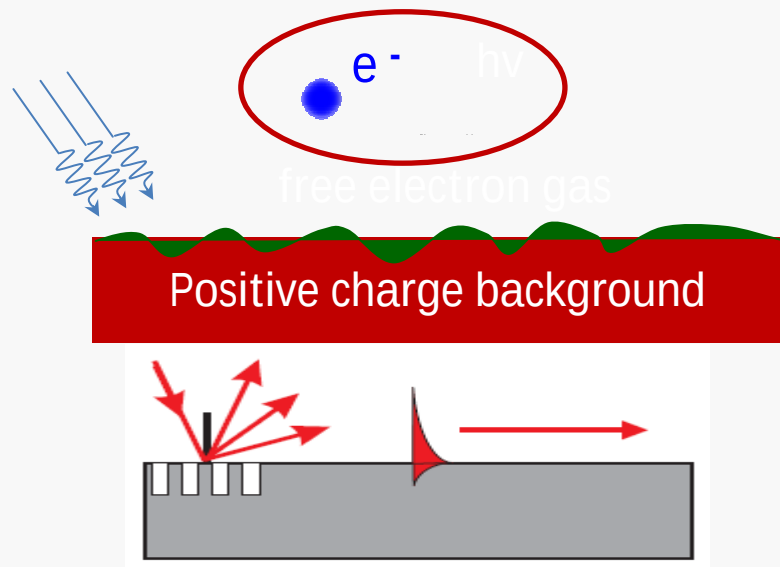
et al

SPP

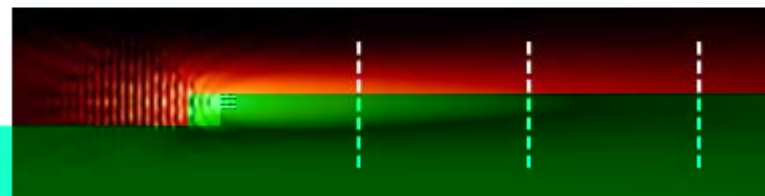


LN

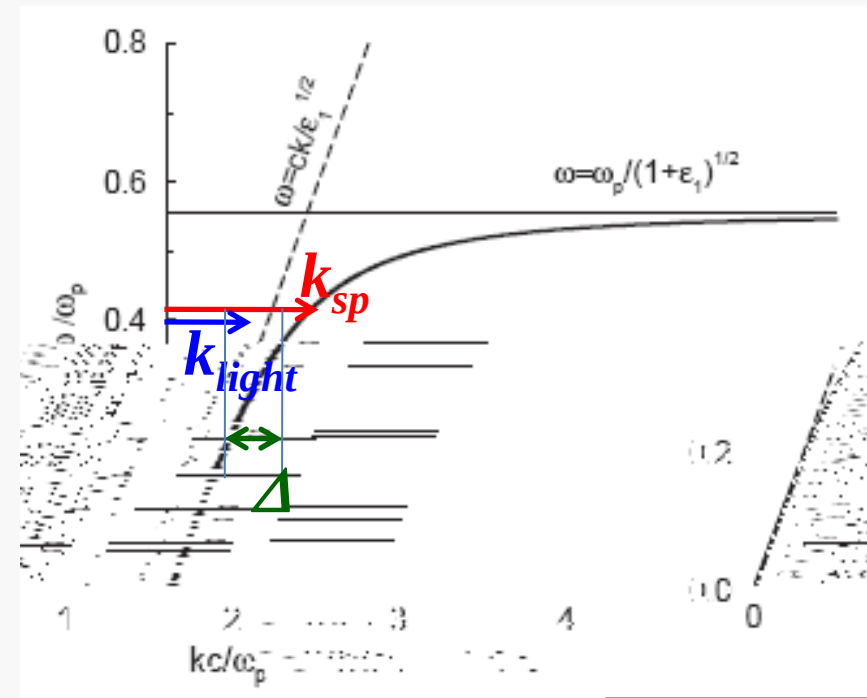
: 1.



(a)



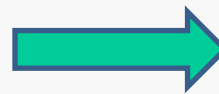
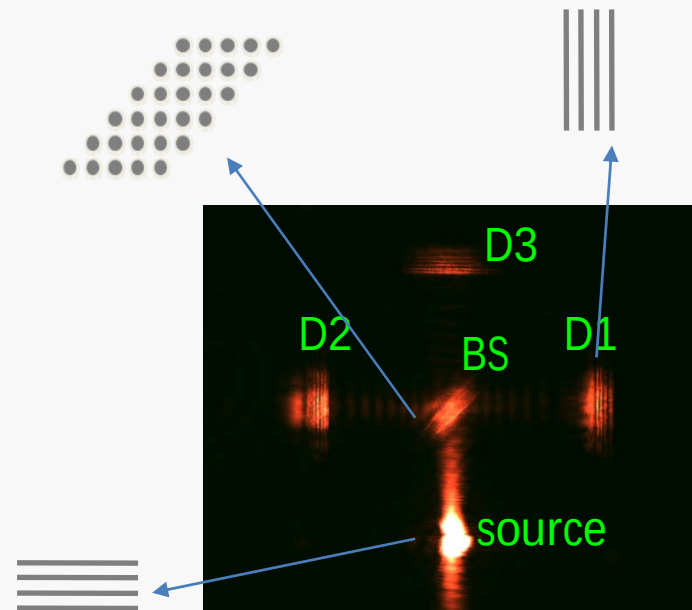
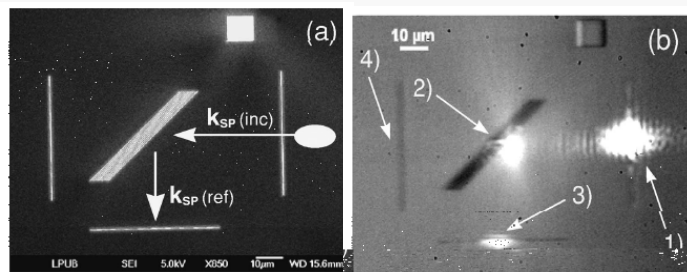
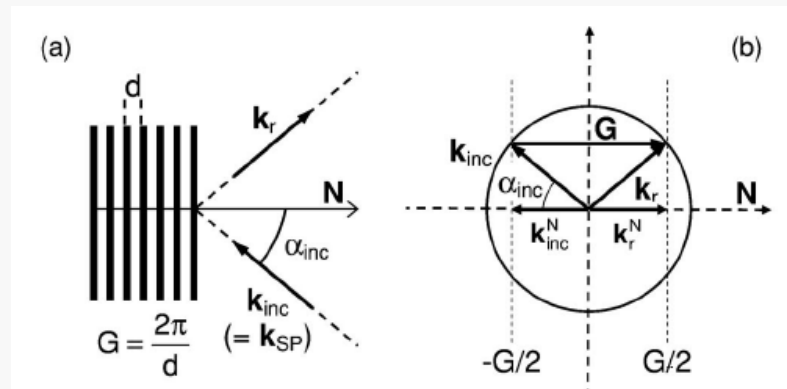
(c)



$$\Delta \omega =$$

$$\Delta k =$$

: II.

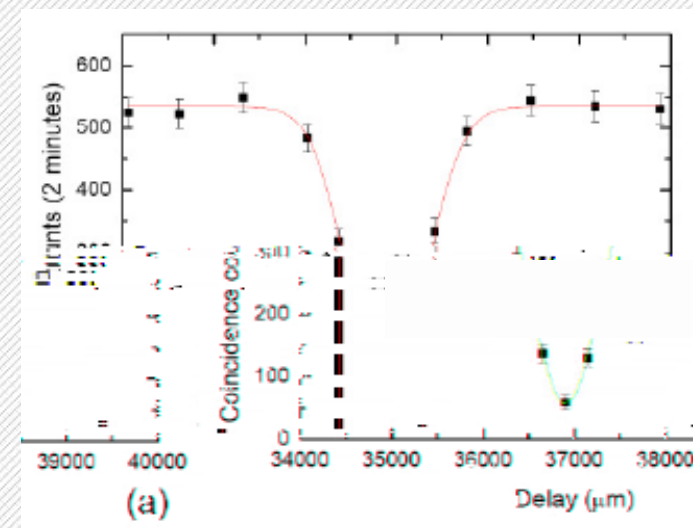




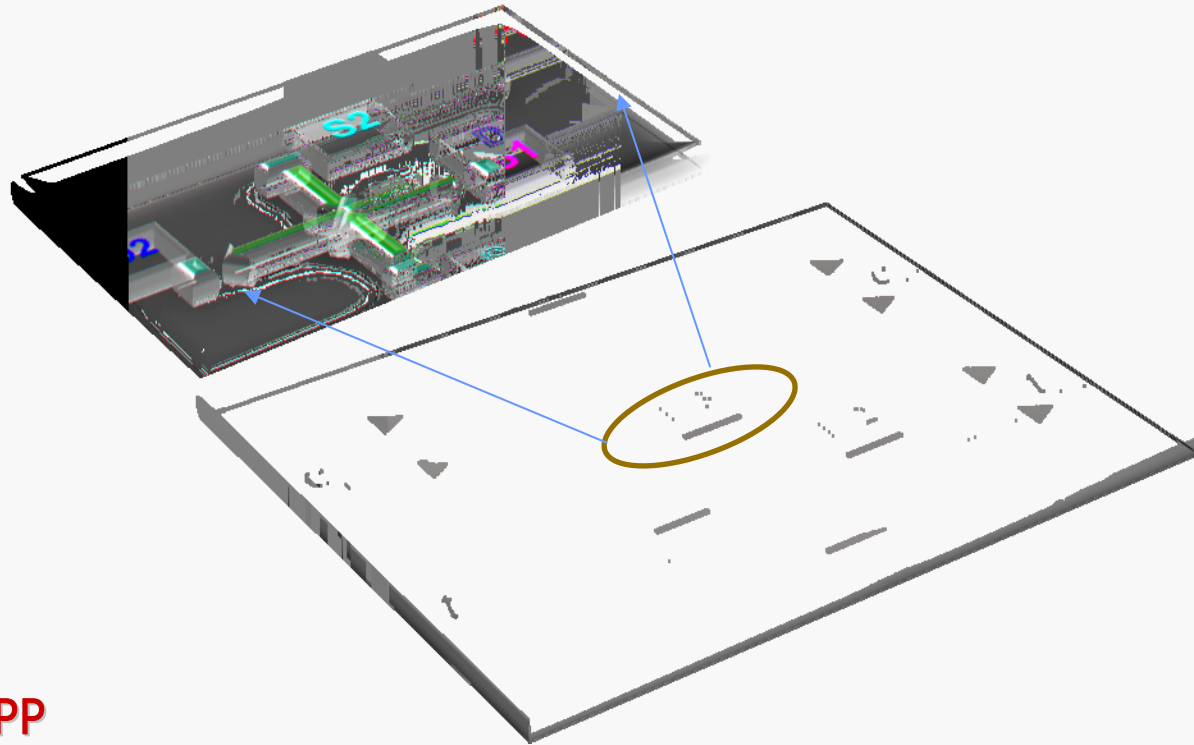
Plasmor entangle

E. Altewischer,

Leiden University
The Netherlands

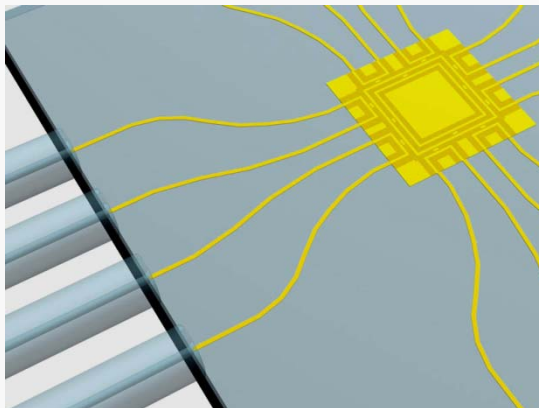
X. Zhang²

SPP MPP()

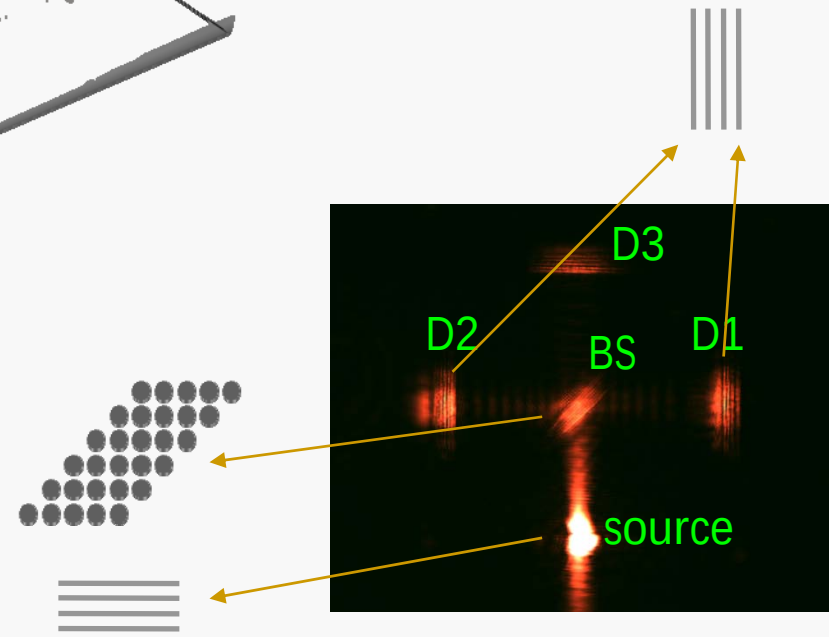


CNOT

SPP

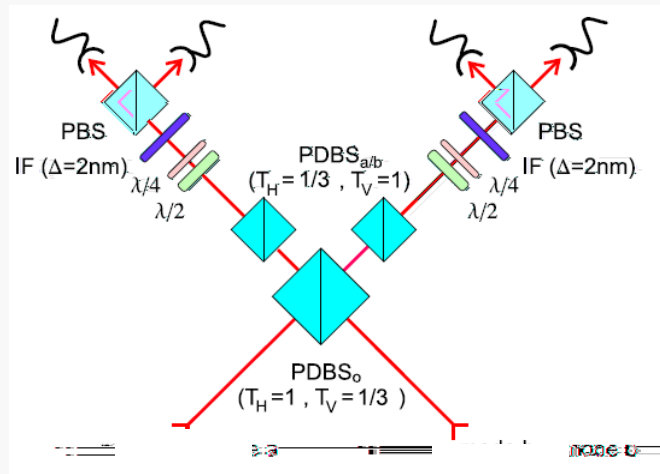
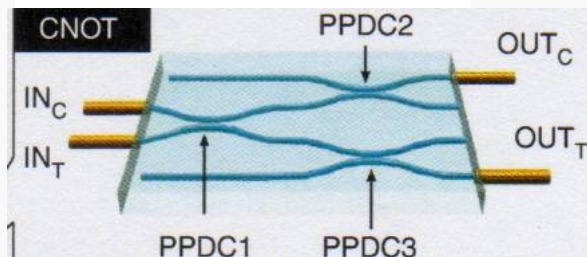
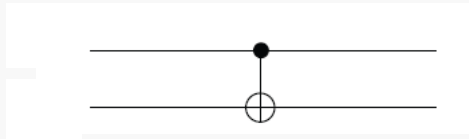


2~5um

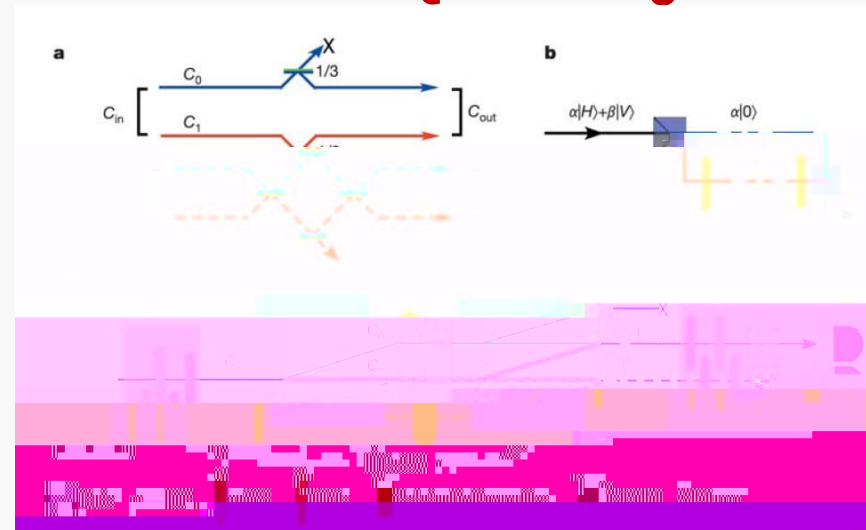


SPP

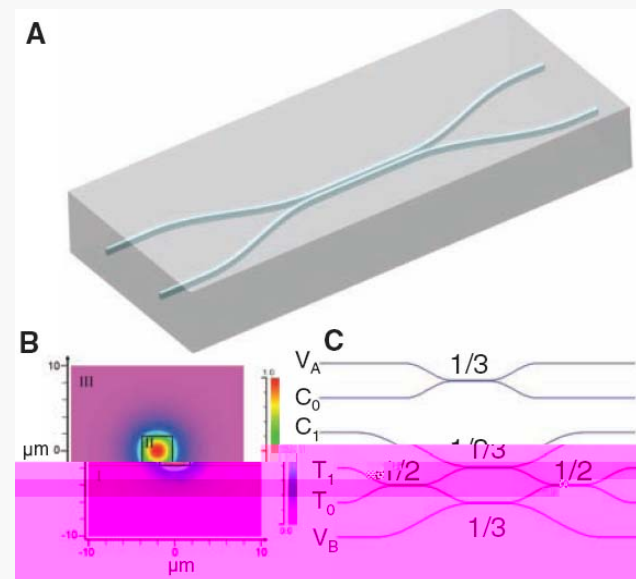
: III. Q-CNOT gate



et al



et al



et al

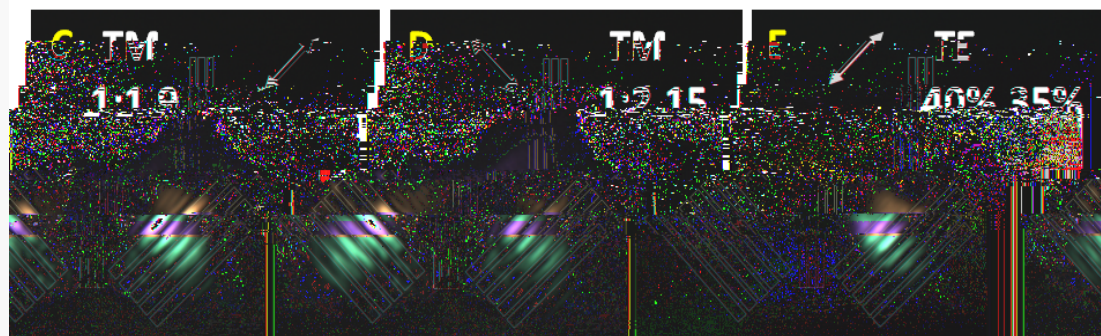
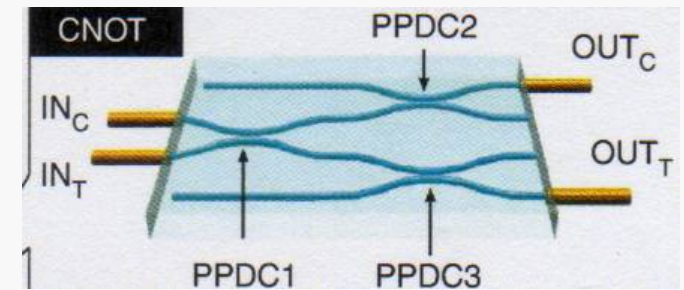
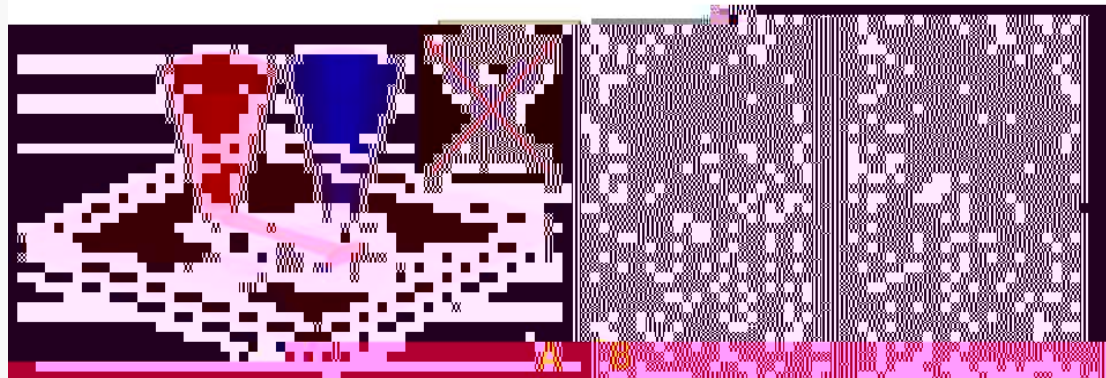
: III. Q-CNOT gate

SPP

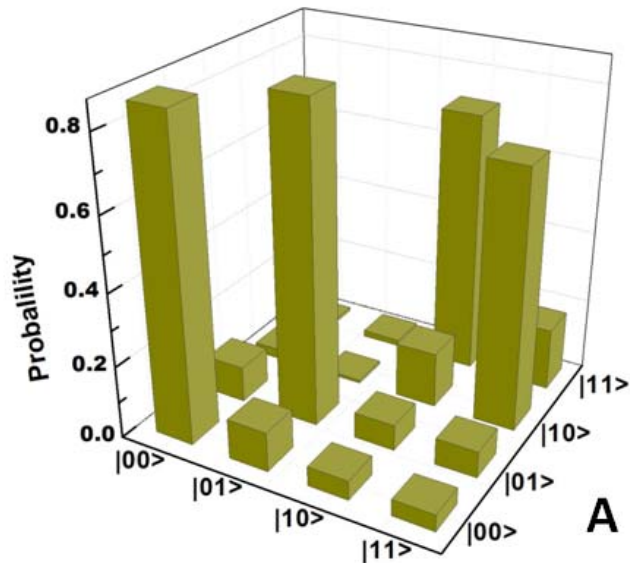
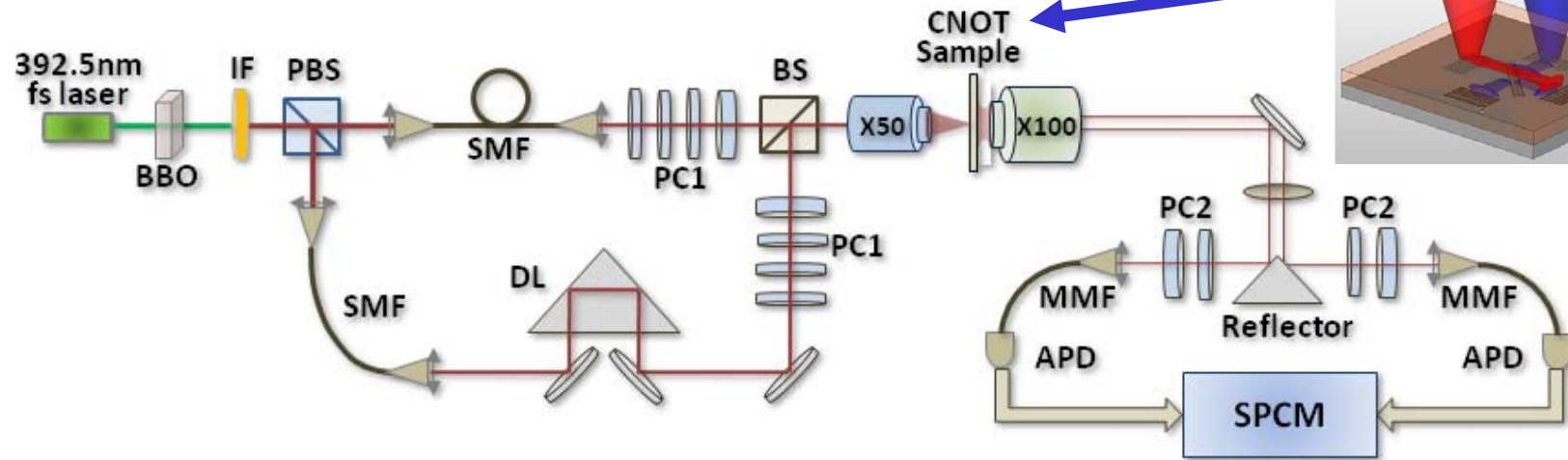
TM TE



CNOT



: III. Q-CNOT gate



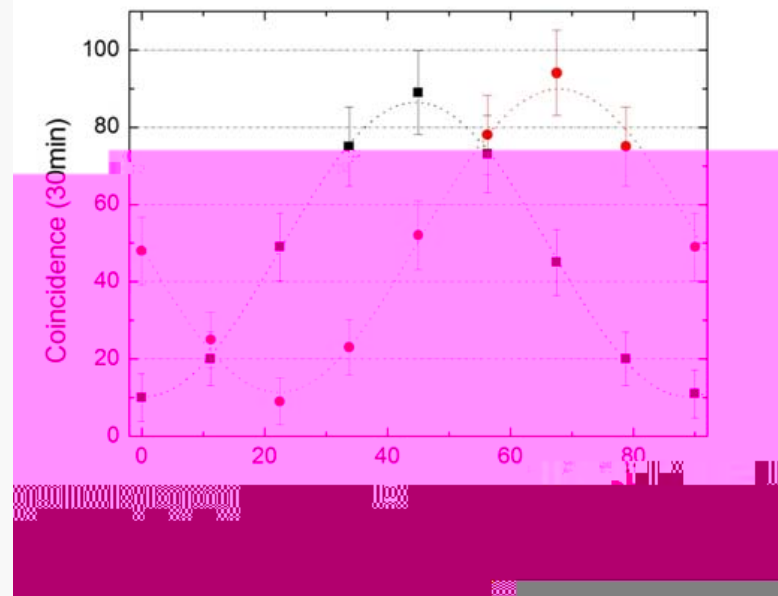
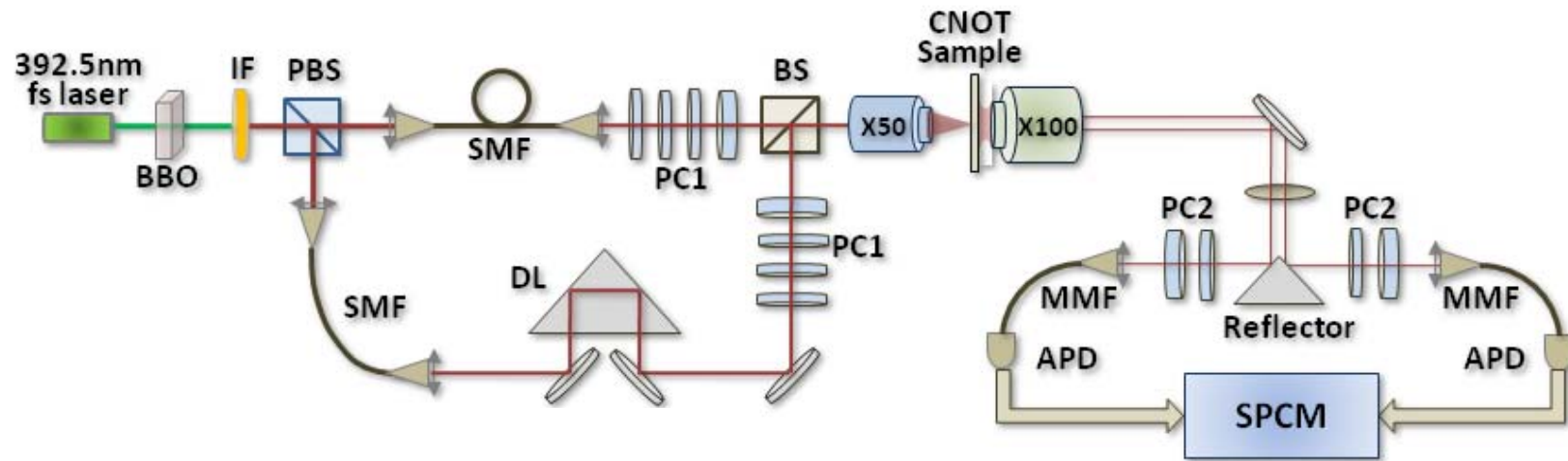
$$| \rangle_c \equiv | TE \rangle_c$$

$$| \rangle_c \equiv | TM \rangle_c$$

$$| \rangle_t \equiv | D \rangle_t = (| TE \rangle_t + | TM \rangle_t) / \sqrt{2}$$

$$| \rangle_t \equiv | A \rangle_t = (| TE \rangle_t - | TM \rangle_t) / \sqrt{2}$$

: III. Q-CNOT gate

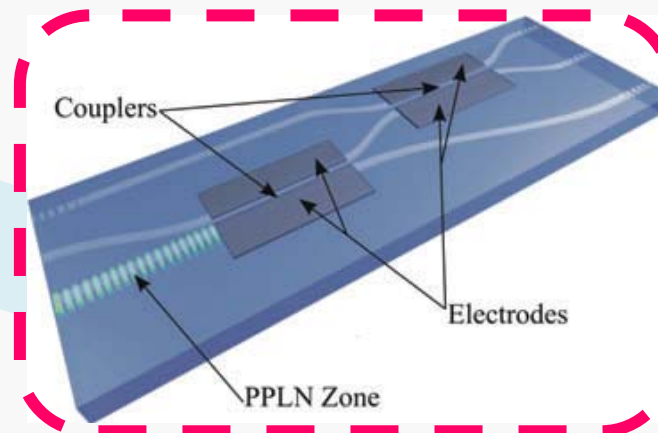
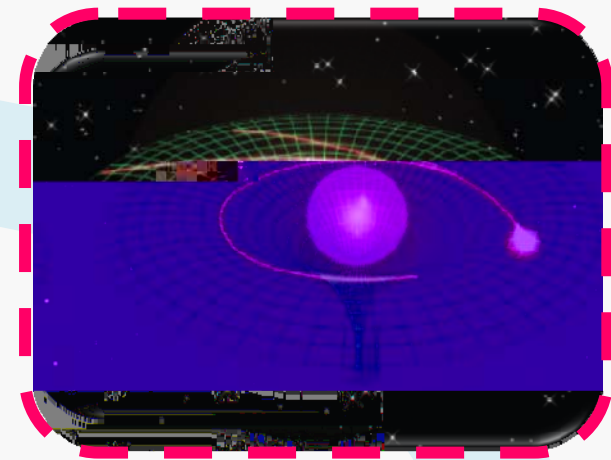
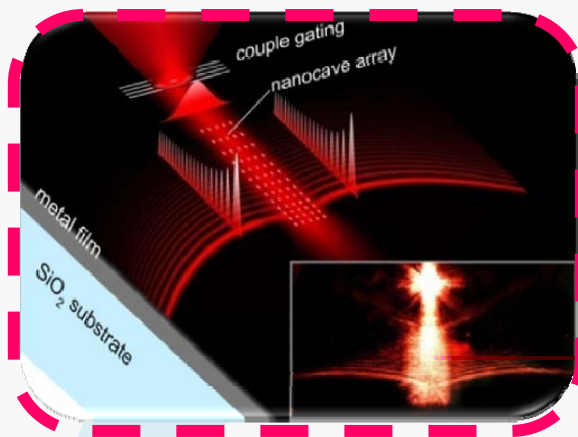


$$\frac{1}{\sqrt{2}}(|\psi_c\rangle - |\psi_t\rangle)$$

$$\frac{1}{\sqrt{2}}(|\psi_c\rangle + |\psi_t\rangle)$$

$$|\psi^-\rangle = \frac{1}{\sqrt{2}}(|\psi_c\rangle - |\psi_t\rangle)$$

SPP

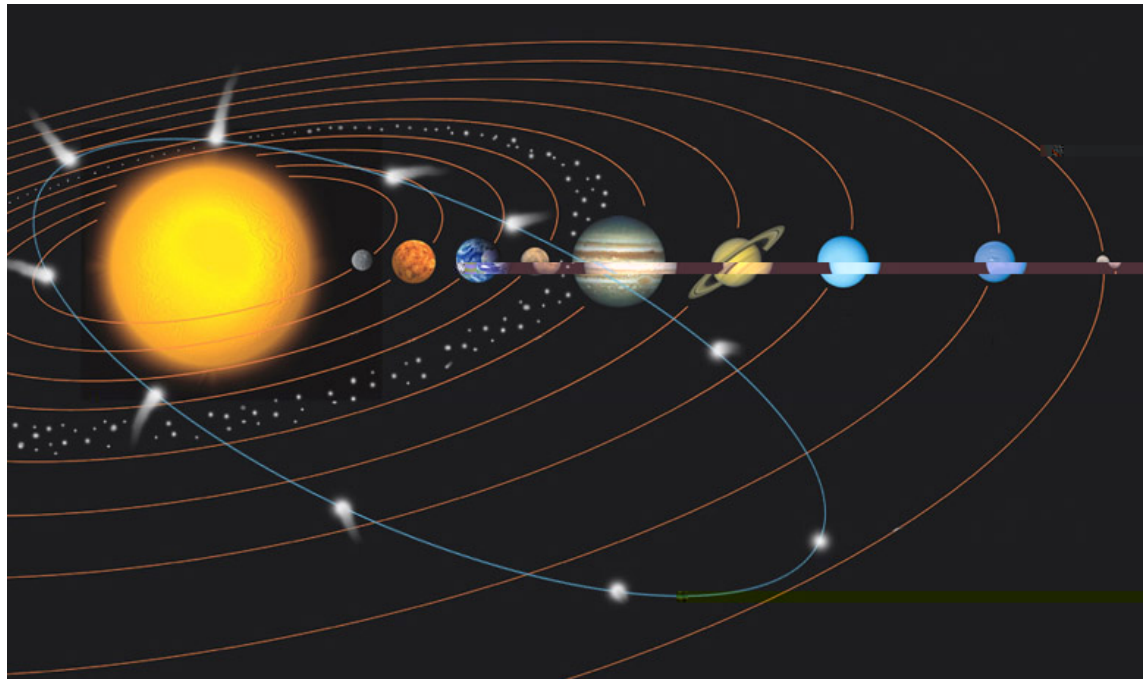


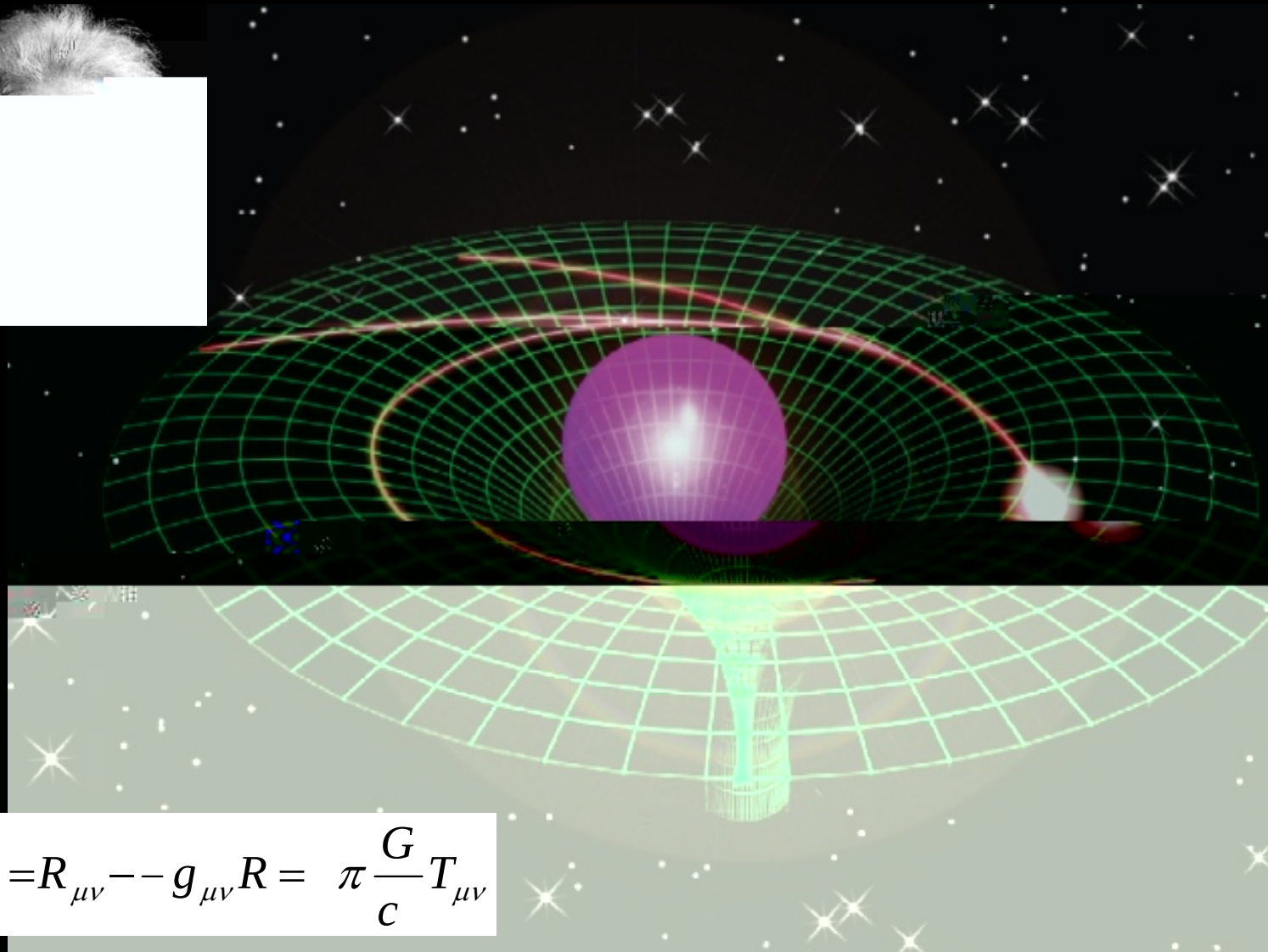
LN

()

$$F = G \frac{mM}{r^2}$$

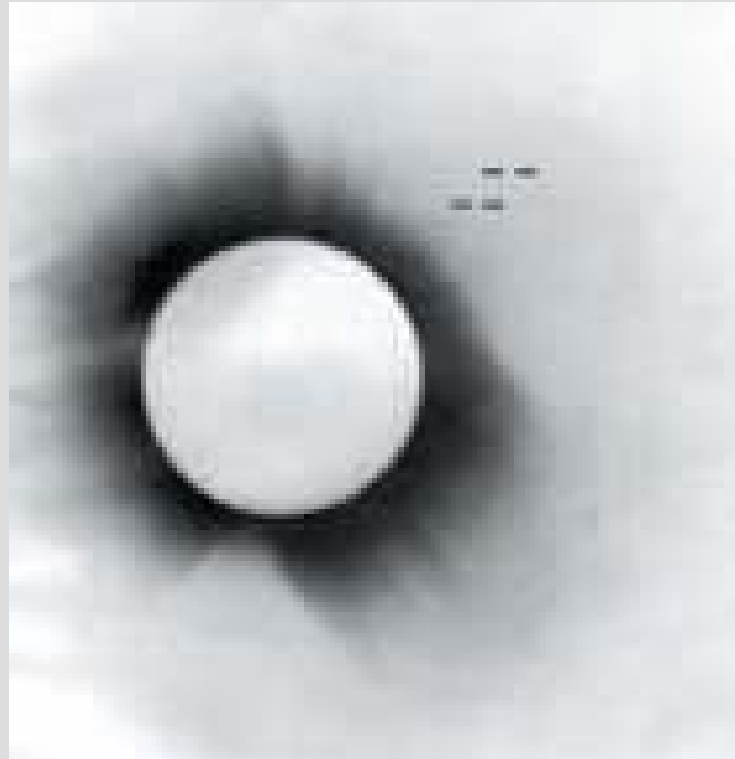
$$\mathbf{r} = x \mathbf{i} + y \mathbf{j} + z \mathbf{k}$$





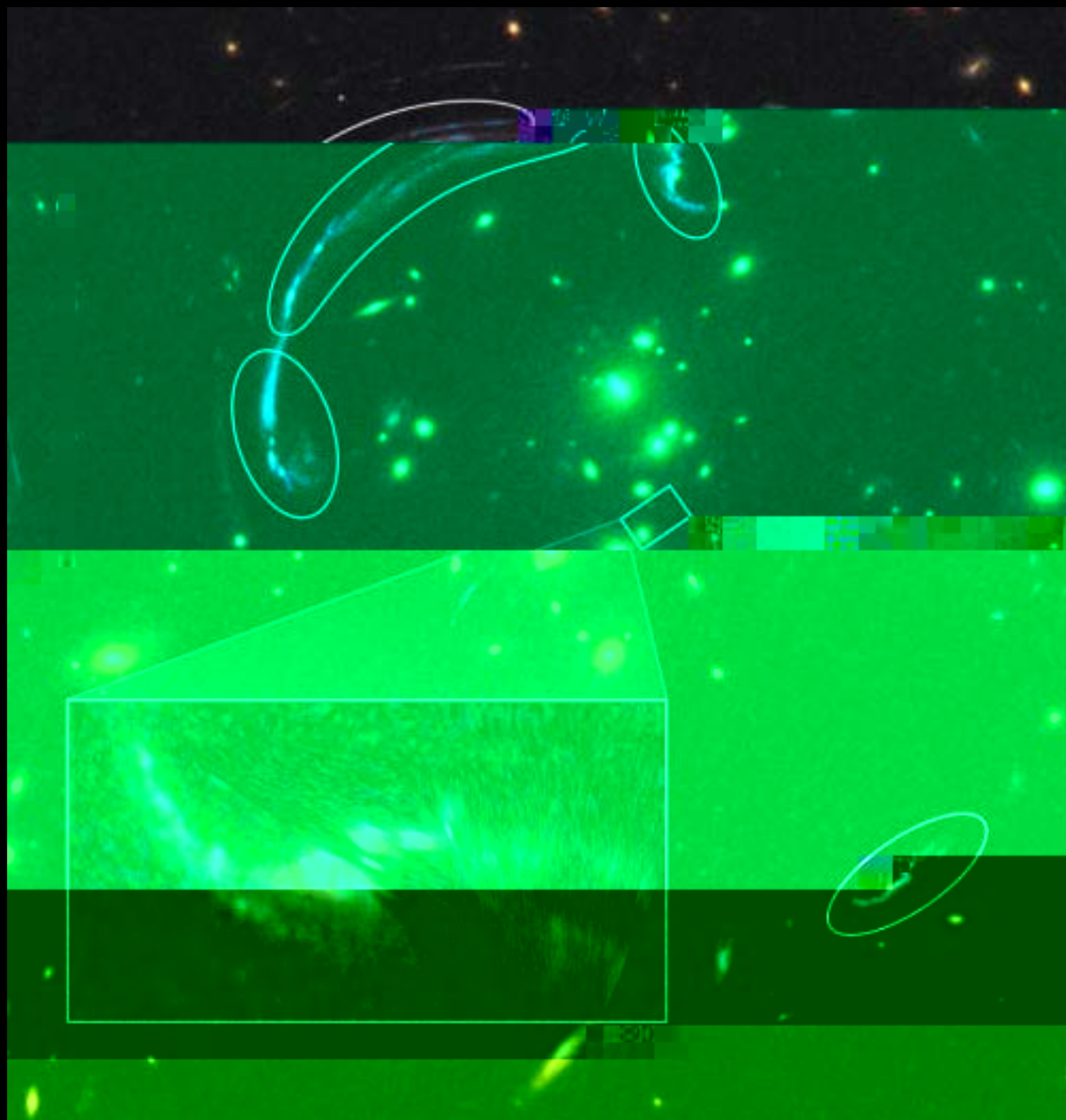
$$G_{\mu\nu} = R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R = \frac{8\pi G}{c^4} T_{\mu\nu}$$

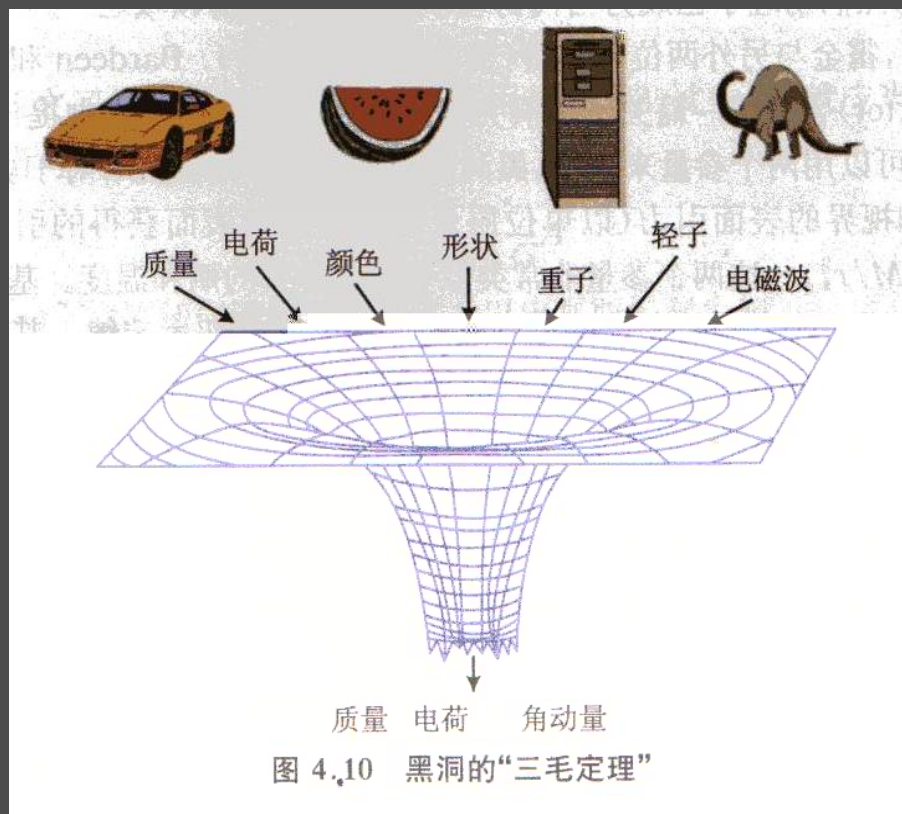
$$ds^2 = \left(-\frac{GM}{r} \right) dt^2 - \frac{dr^2}{\frac{GM}{r}} - r^2 d\theta^2 - r^2 \sin^2 \theta d\phi^2$$



1919







$< 1.4 M \odot$

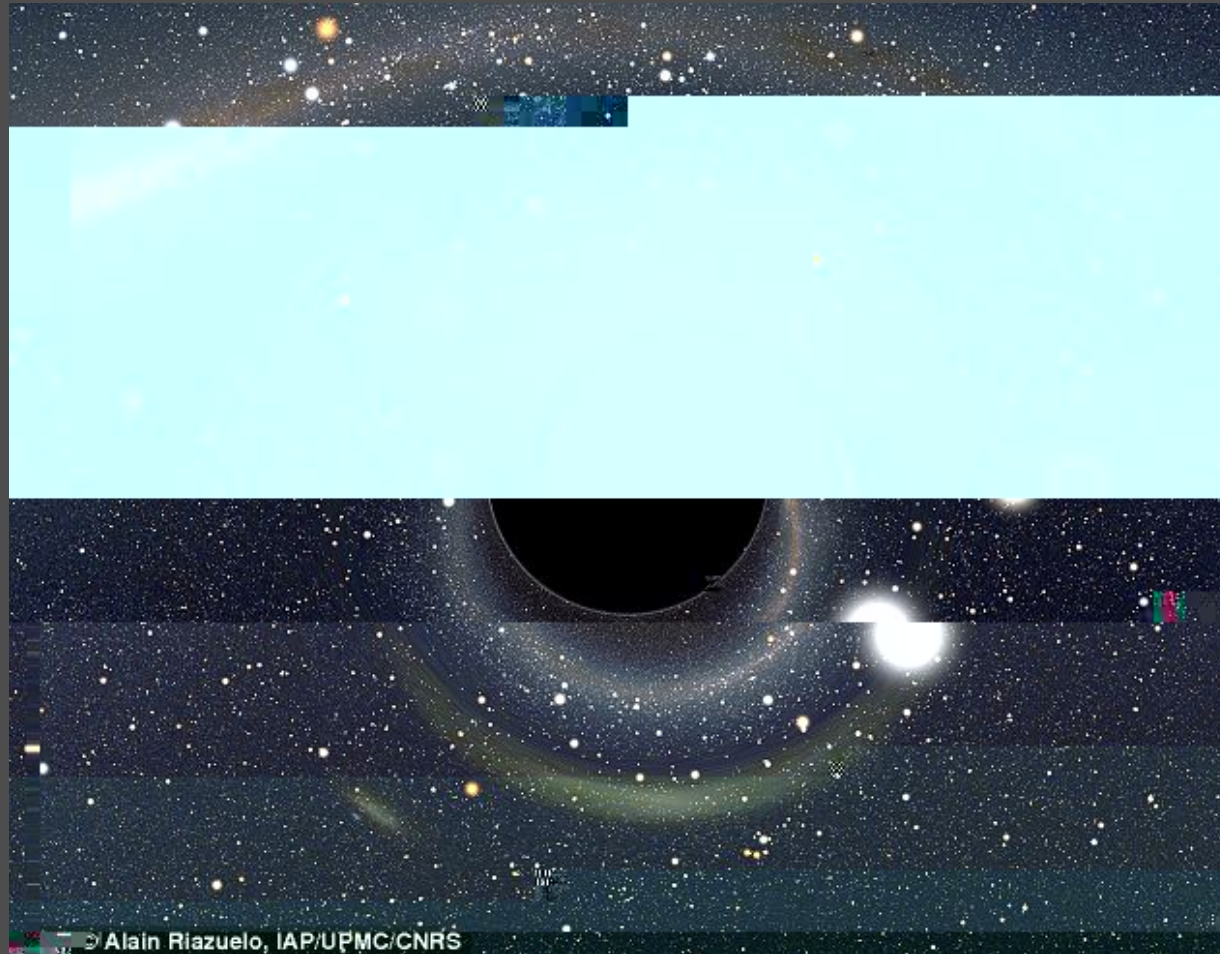
$> 3.2 M \odot$

$$v = \frac{GM}{R}$$

$$r_s \equiv \frac{GM}{c^2}$$

表 4.1 典型天体的密度与表面引力场强度

天体名称	平均密度(g/cm ³)	引力强度参数(2GM/Rc ²)
地球	5	10 ⁻⁹
太阳	1	10 ⁻⁶
白矮星	~10 ⁶	~10 ⁻⁴
中子星	~10 ¹⁴	~10 ⁻¹
黑洞		1

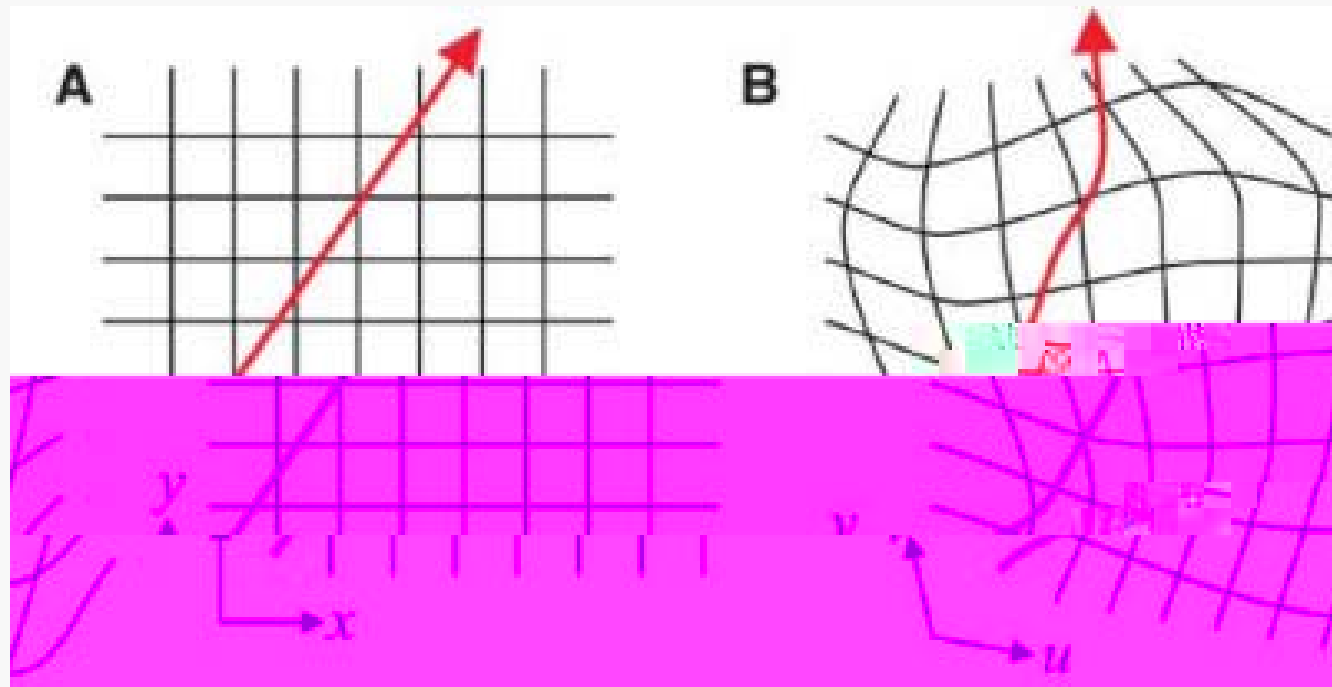


$$\therefore G_{\mu\nu} = -T_{\mu\nu} = -\rho u_\mu u_\nu - p u_\mu u_\nu - g_{\mu\nu}$$

$$ds^2 = e^{\nu} c^2 dt^2 - e^{\lambda} dr^2 + r^2 d\Omega^2$$

$$\therefore \begin{cases} \nabla \times \mu(\cdot) \cdot \frac{\partial}{\partial} \\ \nabla \times \epsilon(\cdot) \cdot \frac{\partial}{\partial} \end{cases}$$

$$\Rightarrow \nabla \cdot \frac{(\cdot)}{\partial} =$$



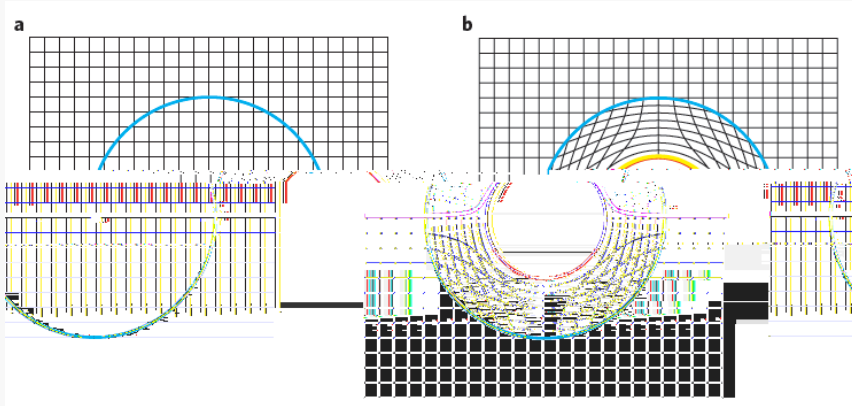
$$\epsilon'_u = \epsilon_u \frac{Q_u Q_v Q_w}{Q_u^2}$$

$$\mu'_u = \mu_u \frac{Q_u Q_v Q_w}{Q_u^2}$$

$$Q_u^2 = \left(\frac{\partial x}{\partial u} \right)^2 + \left(\frac{\partial y}{\partial u} \right)^2 + \left(\frac{\partial z}{\partial u} \right)^2$$

$$Q_v^2 = \left(\frac{\partial x}{\partial v} \right)^2 + \left(\frac{\partial y}{\partial v} \right)^2 + \left(\frac{\partial z}{\partial v} \right)^2$$

$$Q_w^2 = \left(\frac{\partial x}{\partial w} \right)^2 + \left(\frac{\partial y}{\partial w} \right)^2 + \left(\frac{\partial z}{\partial w} \right)^2$$



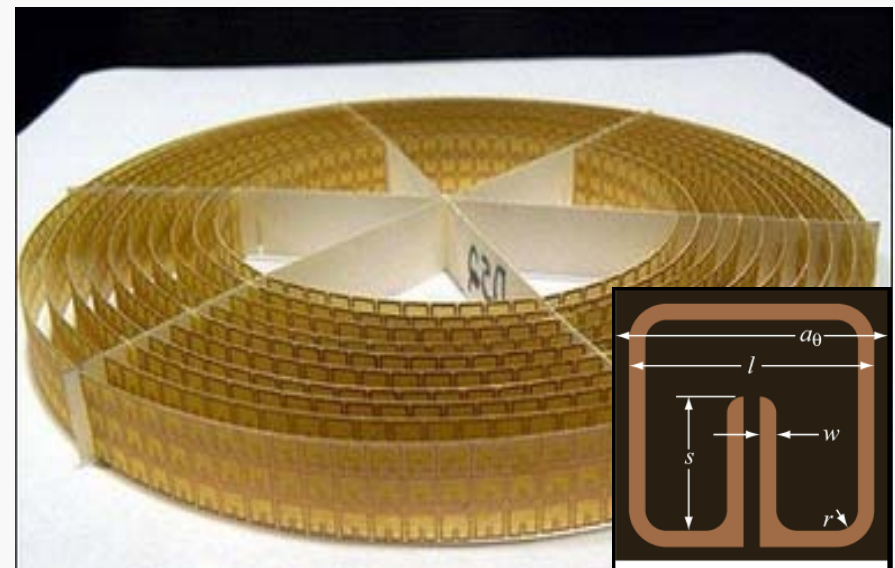
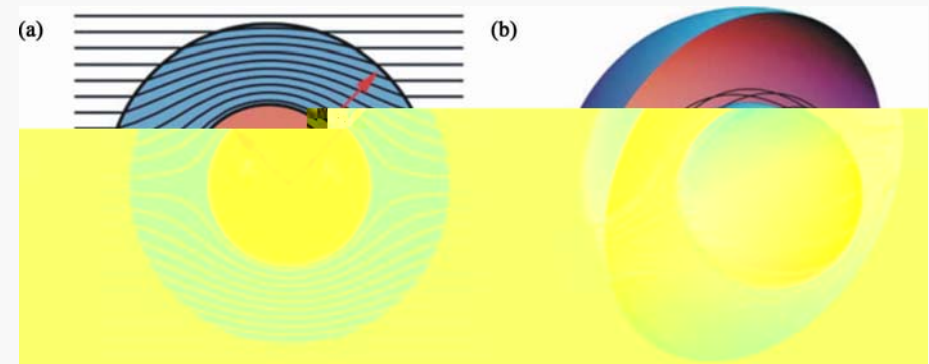
$$\epsilon'_{r'} = \mu'_{r'} = \frac{R_2}{R_2 - R_1} \frac{(r' - R_1)^2}{r'},$$

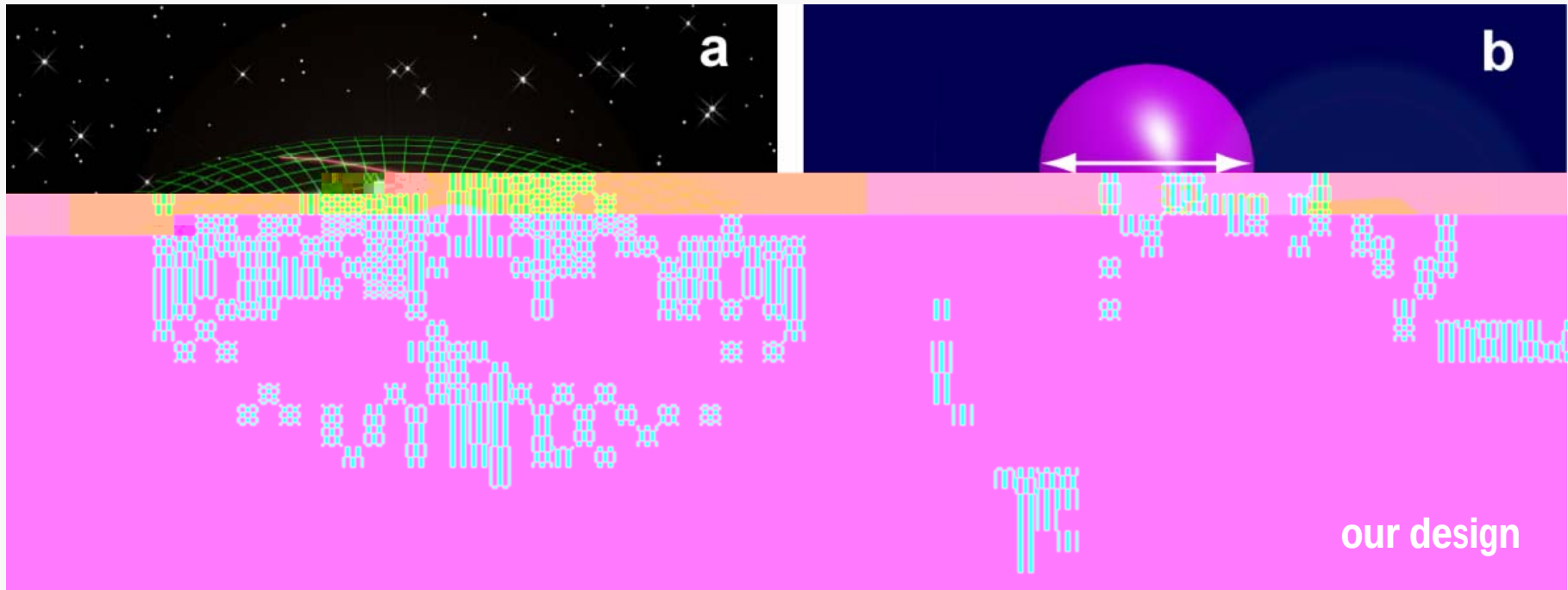
$$\epsilon'_{\theta'} = \mu'_{\theta'} = \frac{R_2}{R_2 - R_1},$$

$$\epsilon'_{\phi'} = \mu'_{\phi'} = \frac{R_2}{R_2 - R_1}$$

J. B. Pendry et al., Science

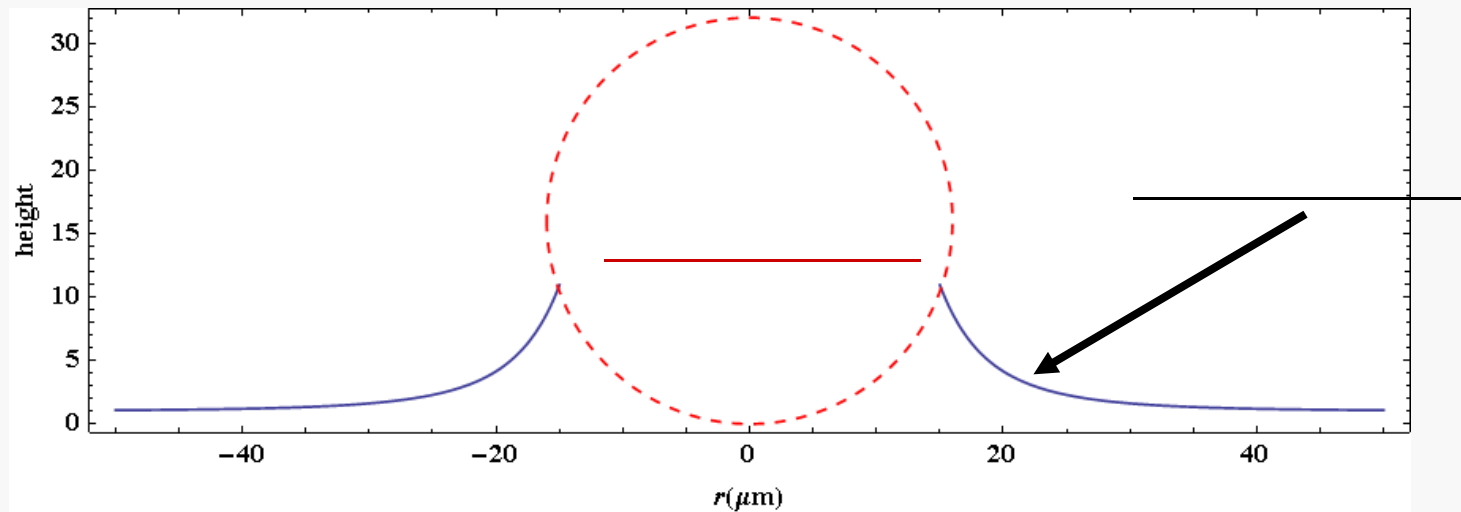
U. Leonhardt, Science





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PMMA

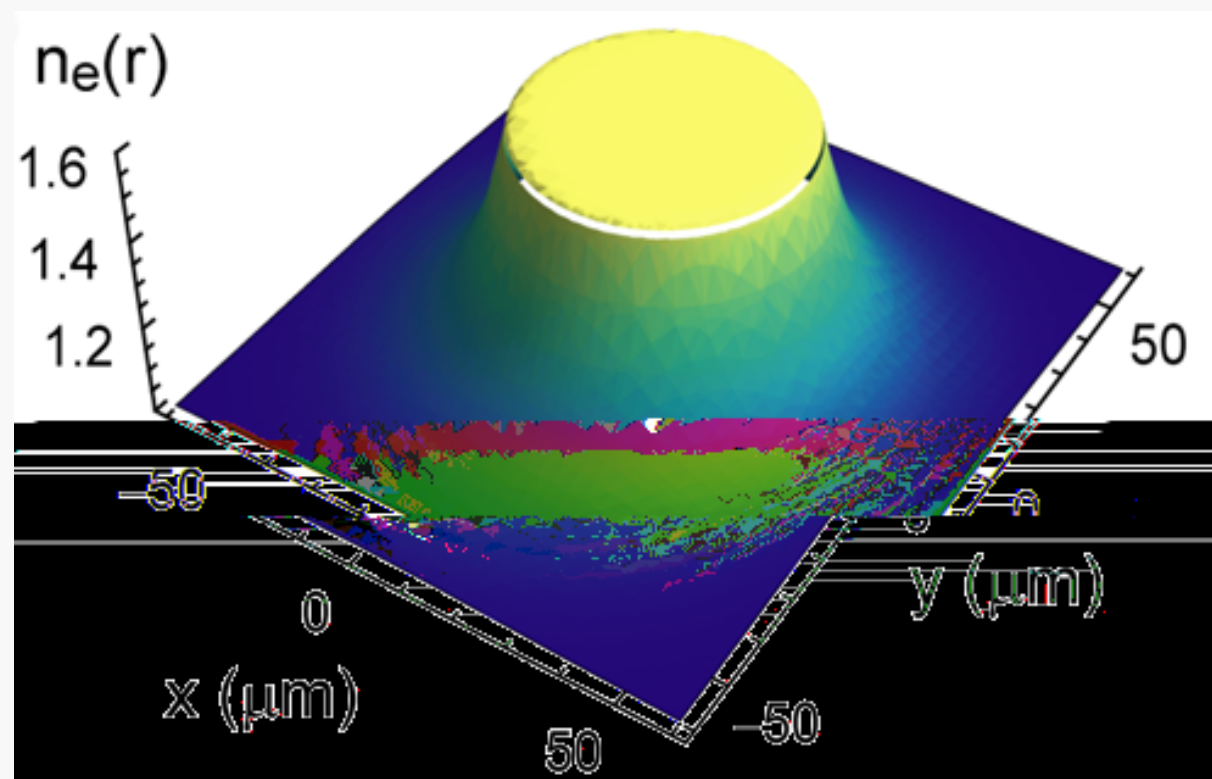


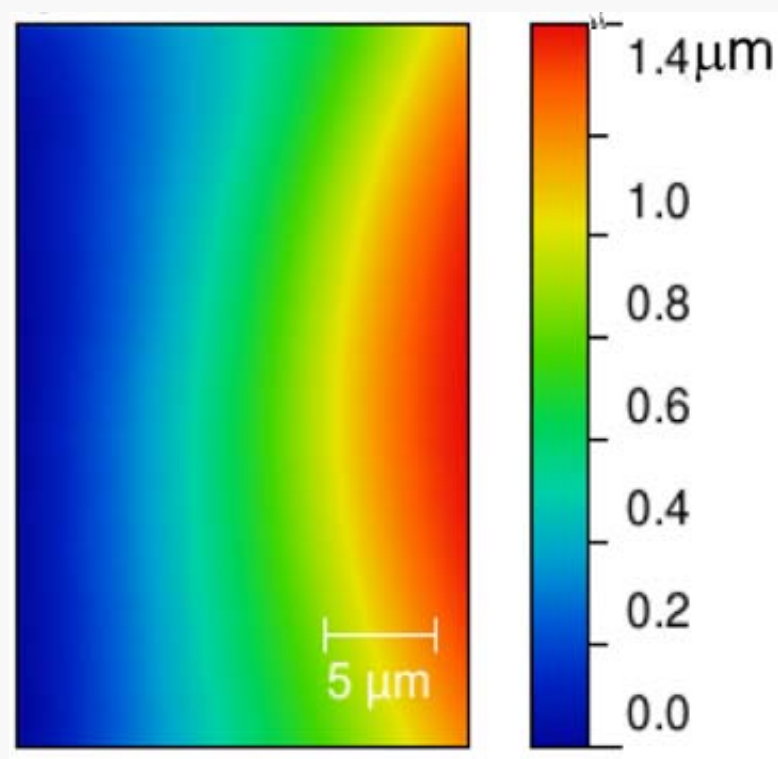
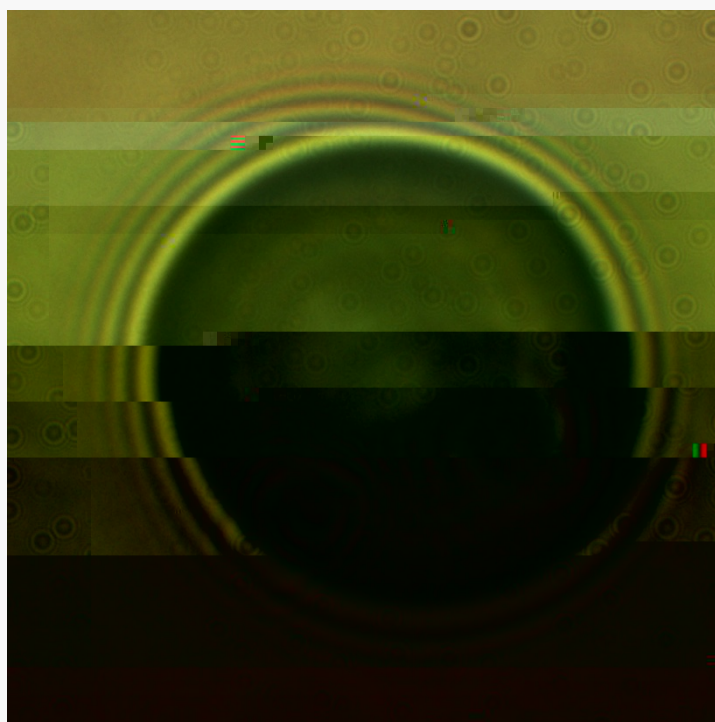
PMMA

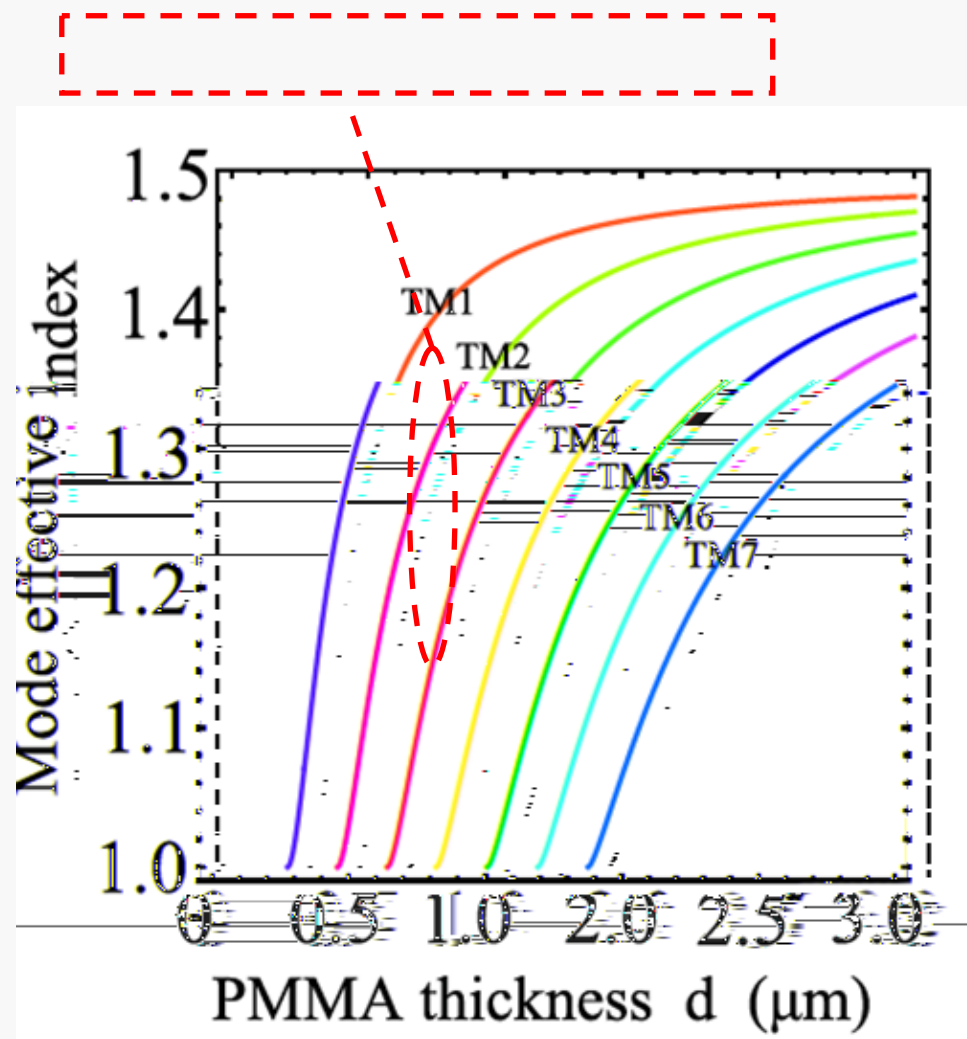
PMMA PMMA

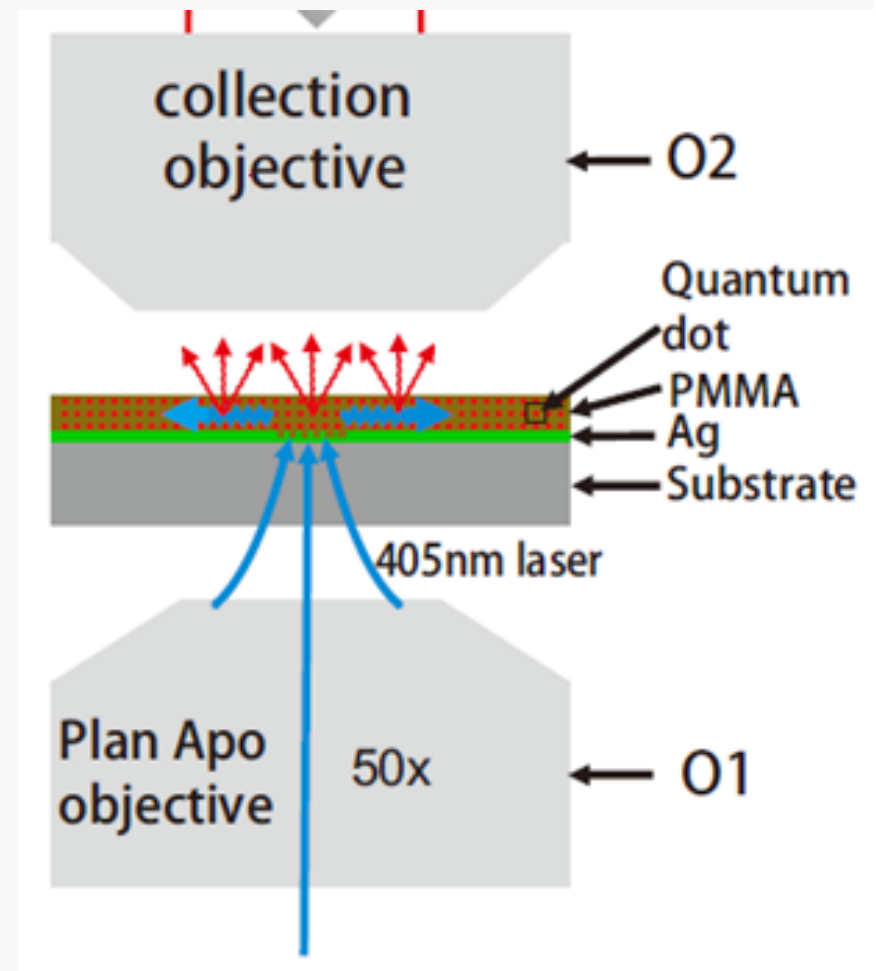
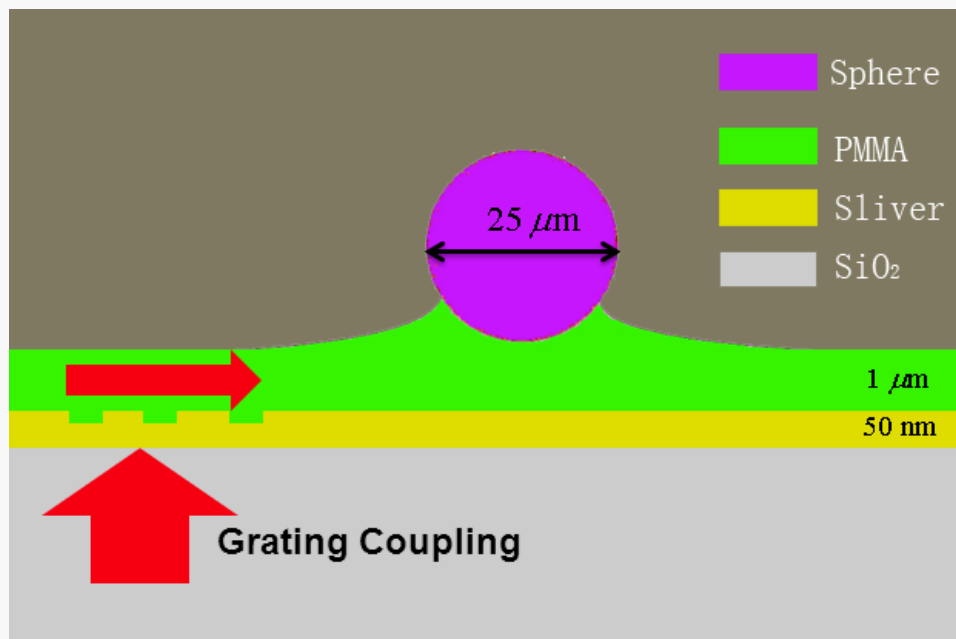
$$h(r) = + \frac{R}{r}$$

$R \approx \mu m$

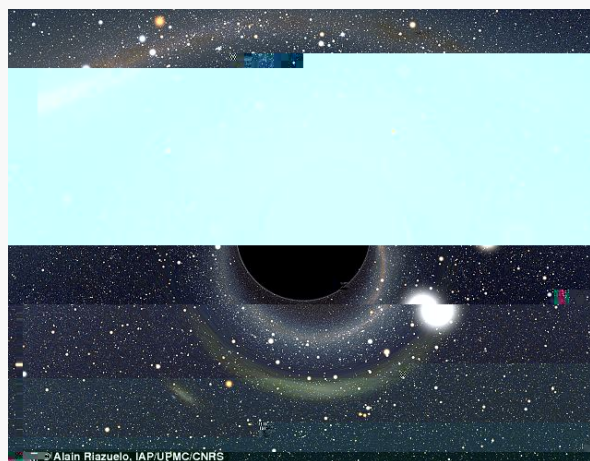




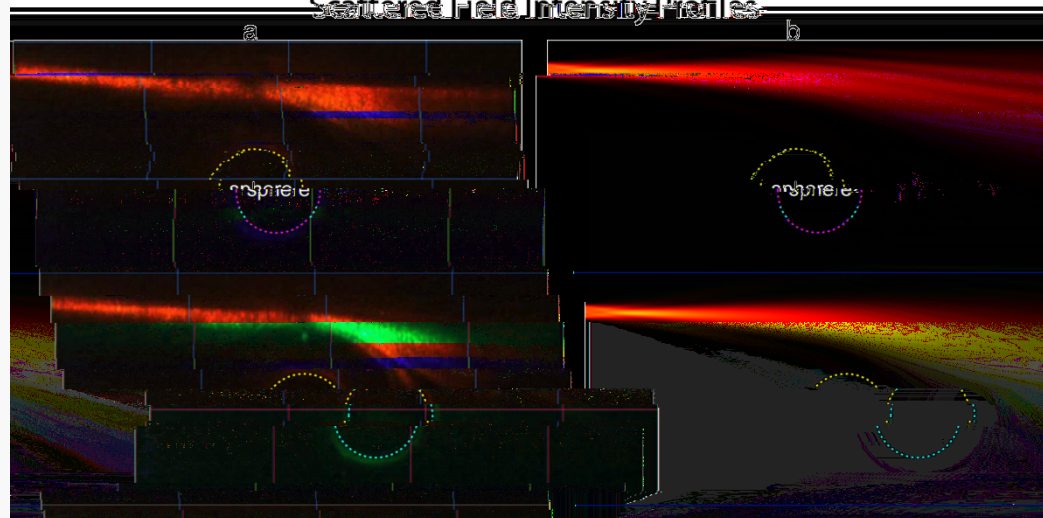




Nature Photonics, in press (2013)



Saturated Field Intensity Profiles

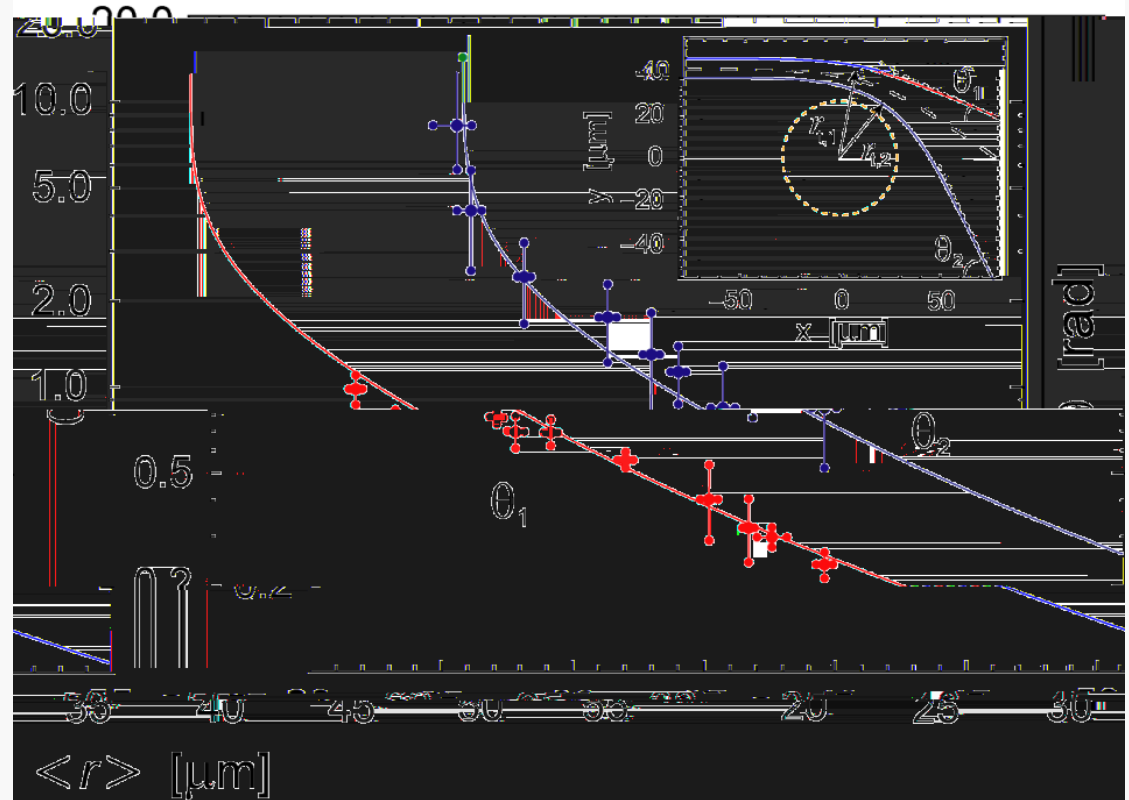


$$\left(\frac{R}{a} \right)^4$$

$$\varepsilon(r) = n^2(r) \approx n_{\infty}^2 \left[1 + \left(\frac{a}{r} \right)^4 \right]$$

$$\left(\frac{dr}{d\varphi} \right)^2 = \frac{n^2(r)r^4}{b^2} - r^2$$

$$\theta = 2K[u_t^4] \sqrt{1 + u_t^4} - \pi$$

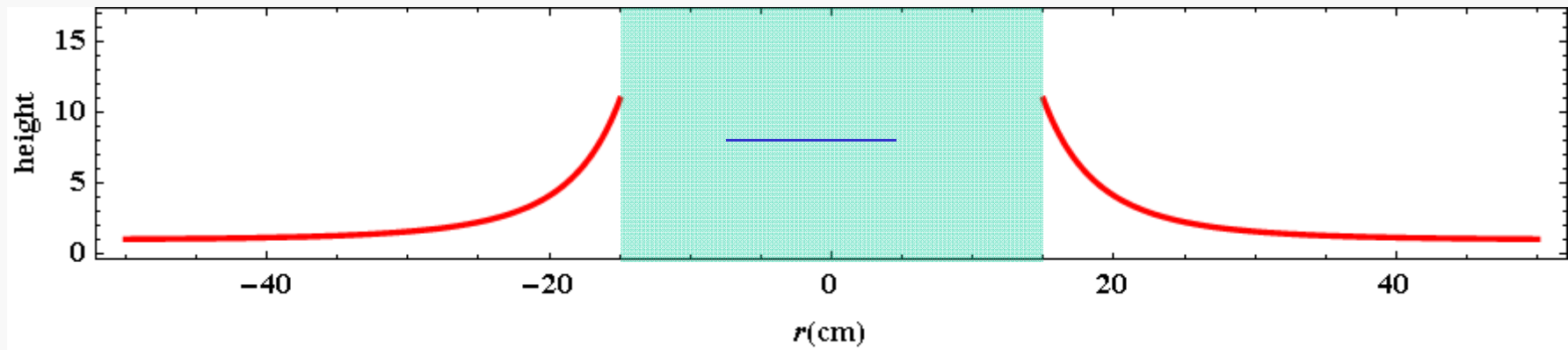


32cm

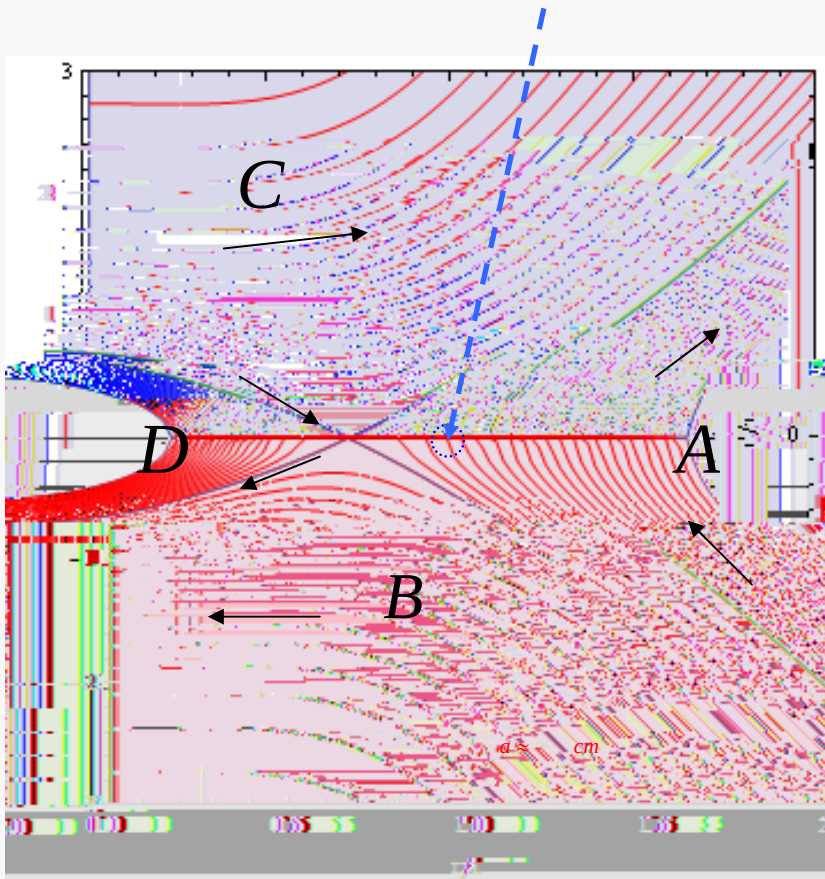
PMMA

$$h(r) = h_{\infty} + \frac{R}{r} s$$

$$h r = + \frac{cm}{r} \mu$$



$$h_{\infty} = \mu m$$



Phase space

A,

D trapping

$$r_{ph} = a$$

$$\frac{dr}{d\varphi} = \frac{d r}{d \varphi} =$$

$$: n (r) \approx + \left(\frac{a}{r} \right)$$

:

$$a = \quad cm$$

B

C

$$\therefore n(r) \approx \sqrt{1 + \left(\frac{a}{r}\right)^2}$$

$$r_{ph} = a$$

$$\left| \frac{dn}{dr} \right| = \frac{a}{r^2 \sqrt{1 + \frac{a^2}{r^2}}}$$

$$r_{ph} = a \qquad \left| \frac{dn}{dr} \right|_{r=r_{ph}} = \frac{a}{r^2 \sqrt{1 + \frac{a^2}{r^2}}} = \frac{\sqrt{1 + \frac{a^2}{r^2}}}{a}$$

表 4.1 典型天体的密度与表面引力场强度

天体名称	平均密度(g/cm ³)	引力强度参数($2GM/Rc^2$)
地球	5	10^{-9}
太阳	1	10^{-6}
白矮星	$\sim 10^6$	$\sim 10^{-4}$
中子星	$\sim 10^{14}$	$\sim 10^{-1}$
黑洞		1

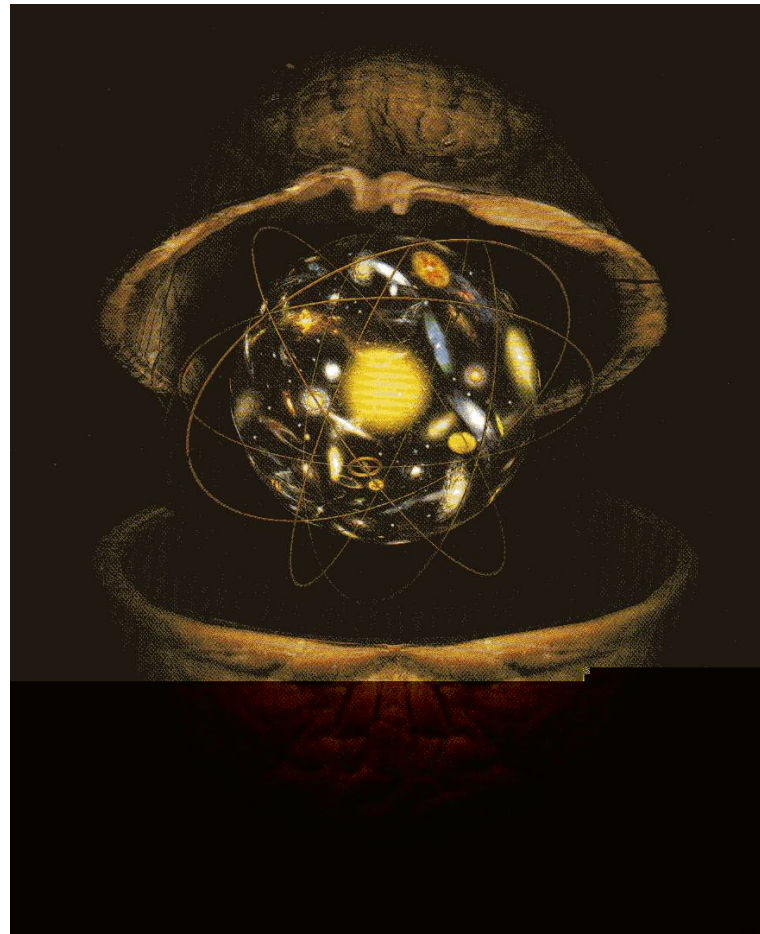
$$= \frac{GM}{Rc^2} = a/R =$$

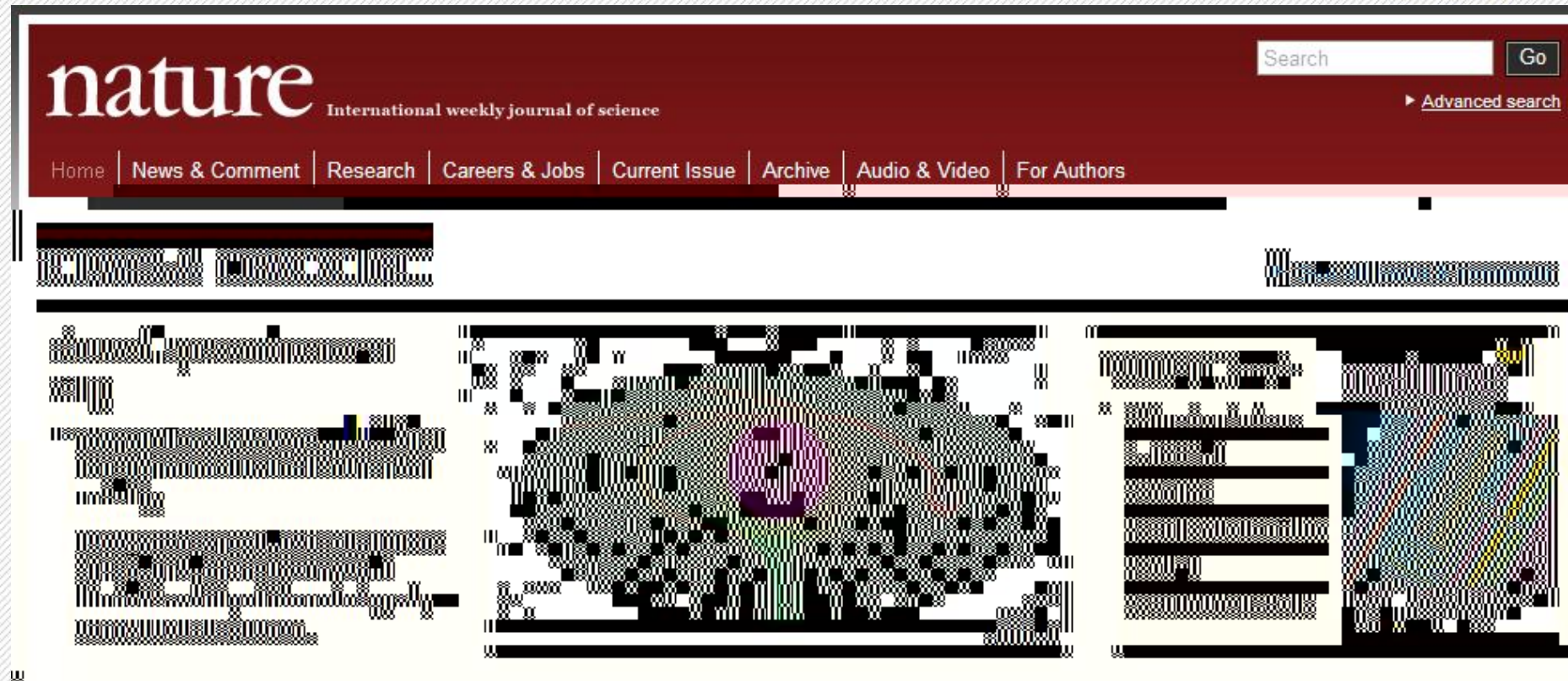
$$a \equiv \frac{GM}{c^2}$$

$$\rho \propto \frac{M}{a^3} \propto \frac{M}{M^3}$$

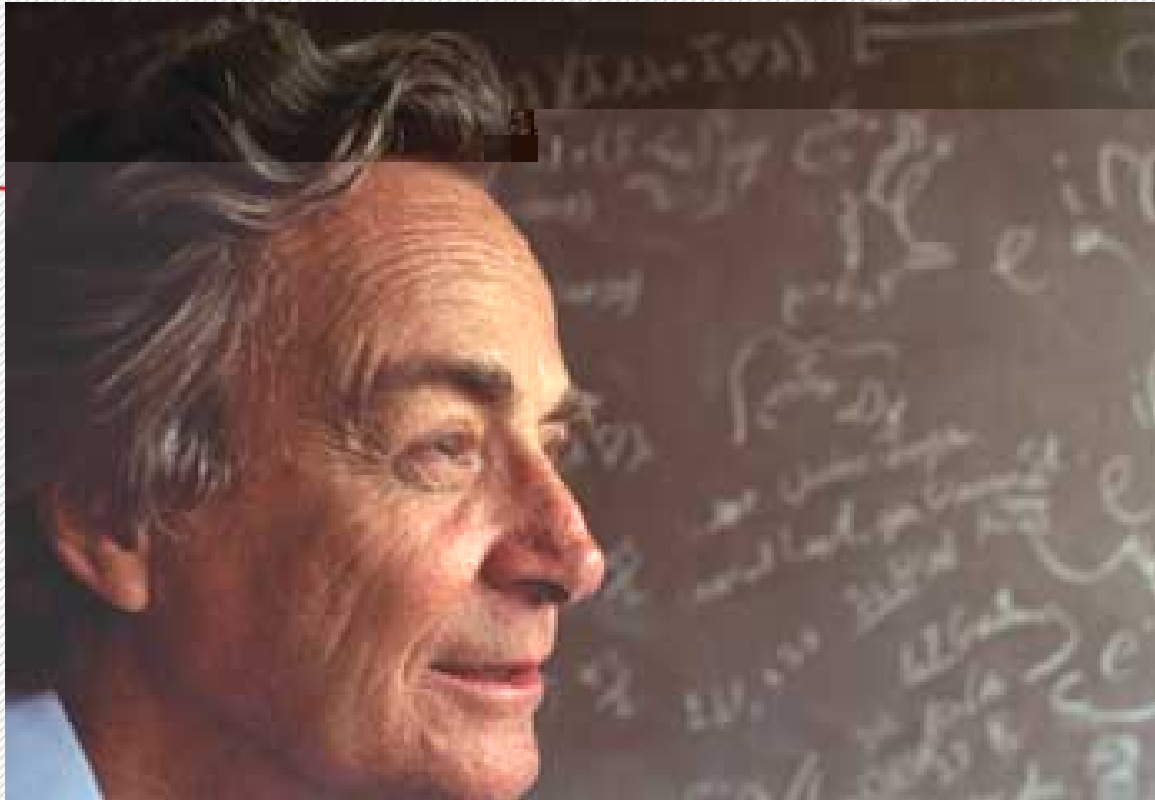
1. $M = 10^{15} \text{ g}, \quad r = 1.5 * 10^{-13} \text{ cm} \Rightarrow 10^{53} \text{ g / cm}^3;$

2. $M = 3 * 10^{55} \text{ g}, r = 4 * 10^{27} \text{ cm} (10^{10}) \Rightarrow 10^{-29} \text{ g / cm}^3.$





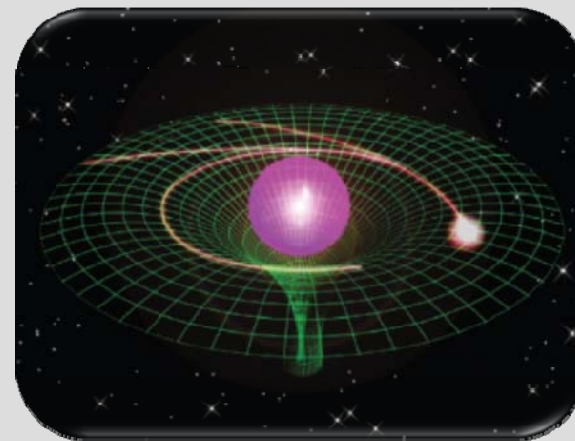
“This is indeed the first time an exact solution of Einstein's equations was mimicked” using an optical model, says Leonhardt. The simplicity of the experiment — microspheres on plastics — “beautifully illustrates some of the ideas of general relativity”, he adds.



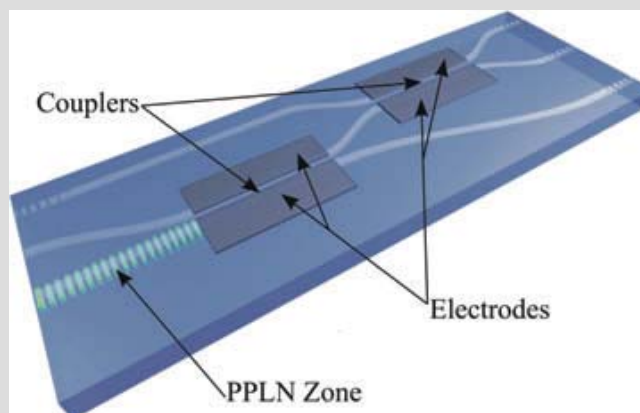
南京大学

Richard Feynman

Still, says study coauthor Dentcho Genov of Louisiana Tech University in Ruston, the team's microchip model "may hold the key to the elucidation of phenomena based on general relativity that are extremely difficult to study through direct astronomical observations". This includes cases of radio waves with wavelengths comparable to the size of the celestial object, he notes.



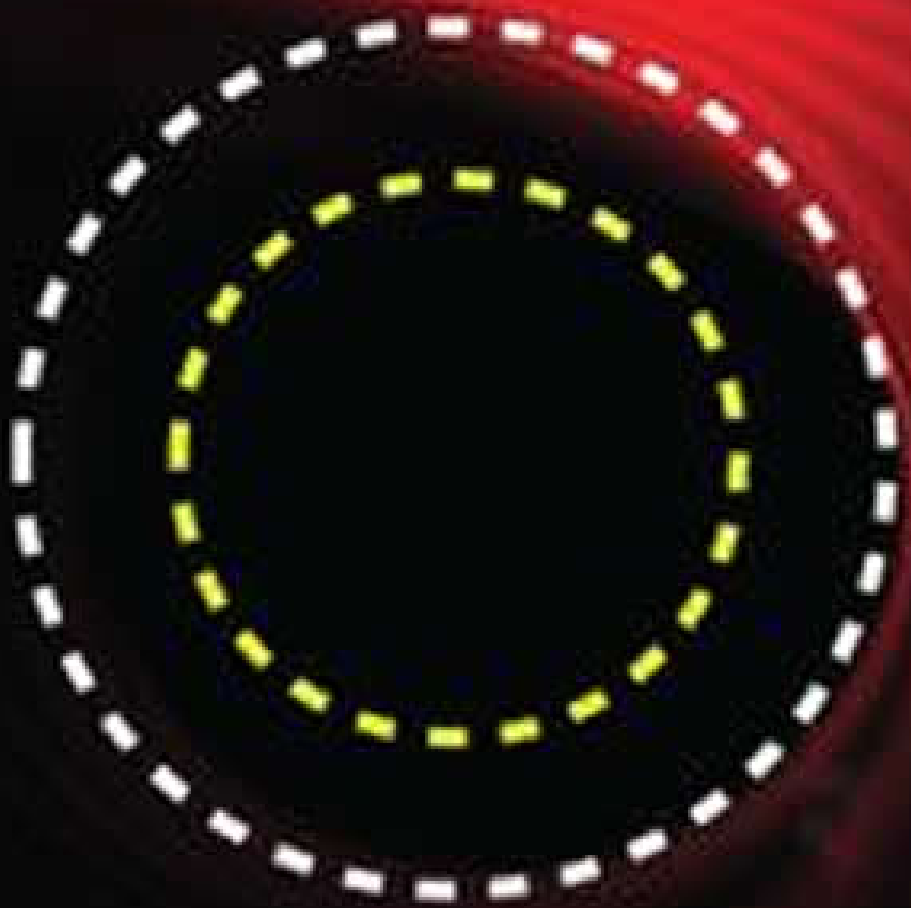
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**the State Key Program for Basic Research in China and
the National Natural Science Foundations of China**



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